

Probing the masses of Galaxy Groups in the COSMOS survey

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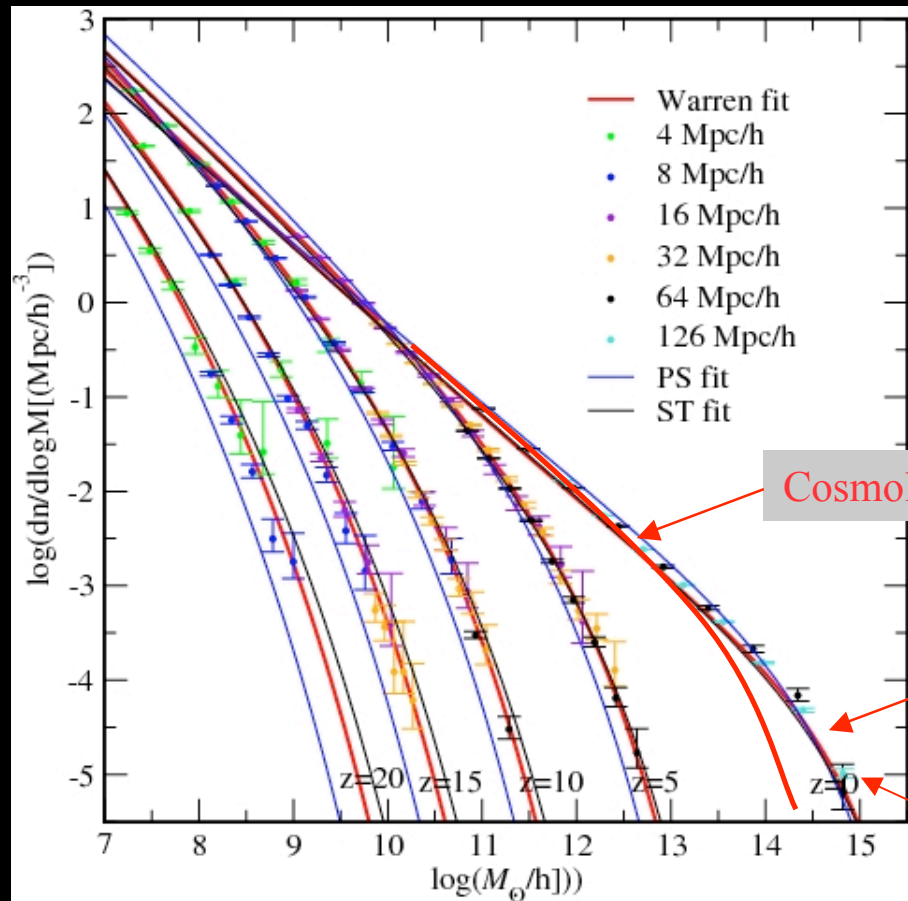
LBNL & Berkeley Center for Cosmological Physics

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Jason Rhodes (*JPL*), David Johnston (*JPL*)
AND THE COSMOS TEAM**

guideline for the talks and discussions

- 1) What are the basic methods, and their assumptions?
⇒ *This talk will focus on stacked weak lensing measurements*
- 2) What is the expected contamination of fore- and background ?
(as a function of redshift; what is the effect of this contamination?)
⇒ *No results yet but we would like to look at this with the new COSMOS photometric redshifts (derived with 30 bands)*
- 3) What are the methodological problems (uncertainties) converting the shear signal into a mass profile ?
- 4) For what mass range? How do we get good masses at the group scale?
- 5) And I added this question Evolution of scaling relations?
⇒ *The main topics of this talk*

Motivations for pushing down to the low end of the mass function



The growth of the Dark Matter Mass Function over cosmic time - Heitmann et al. 2006

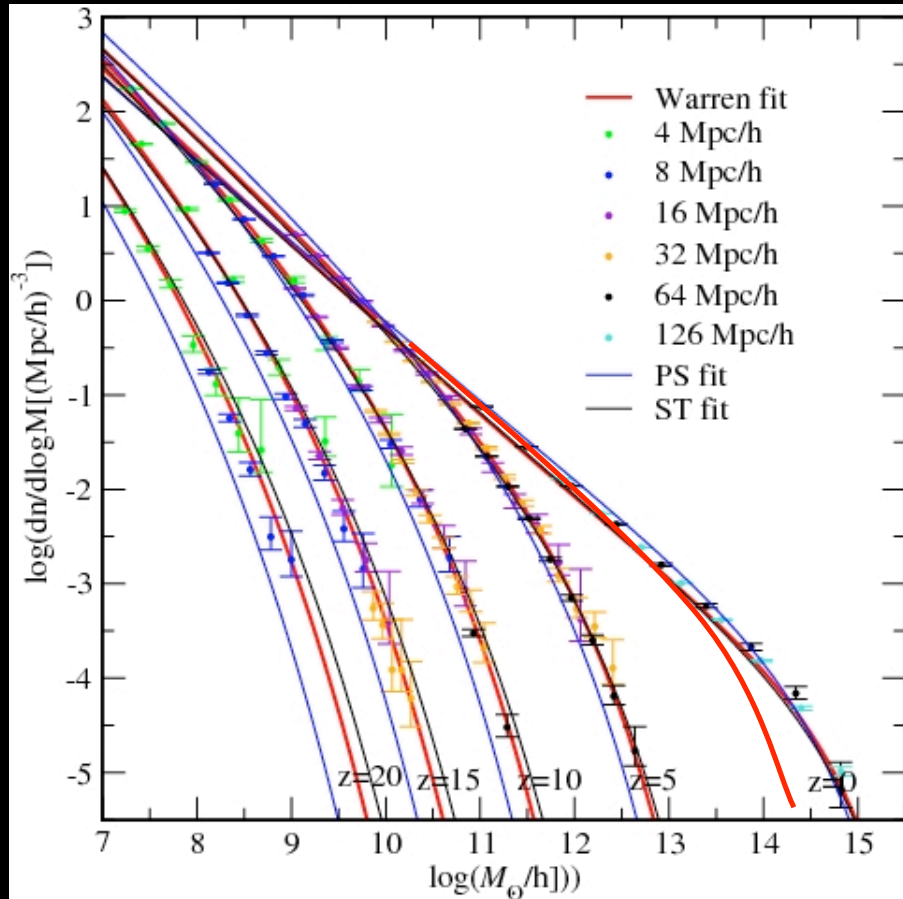
- I. Constraints on cosmological parameters can be improved by extending measurements down to the low end of the mass function (*on condition that masses can be measured correctly for groups*).

Cosmological volume element, dV/dz

Growth function

- Most massive systems:
- *low numbers*
 - *mergers/ non relaxed*
 - *triaxiality*

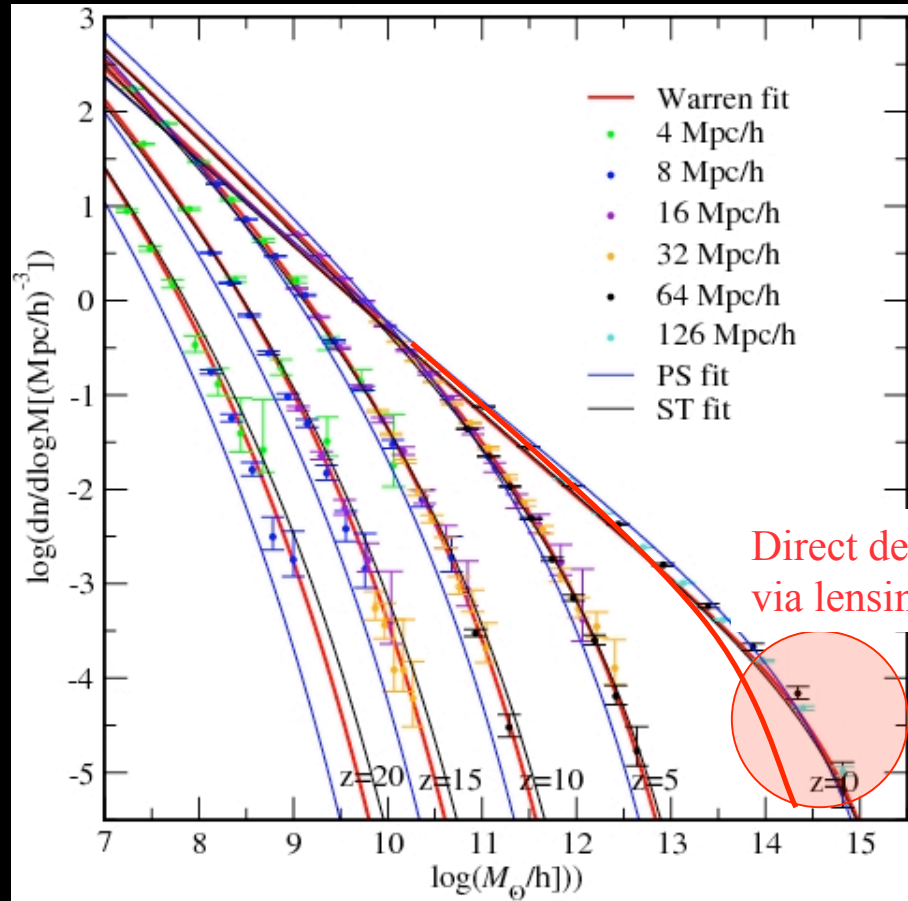
Motivations for pushing down to the low end of the mass function



The growth of the Dark Matter Mass Function over cosmic time - Heitmann et al. 2006

- I. Constraints on cosmological parameters can be improved by extending measurements down to the low end of the mass function (*on condition that masses can be measured correctly for groups*).
- II. Understanding the scaling relations of galaxy groups will lead to a better handle on the slope and amplitude of the scaling relations of more massive systems.

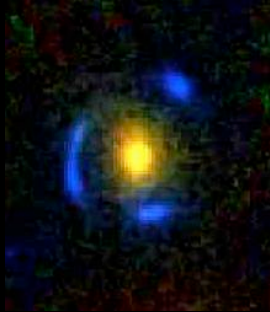
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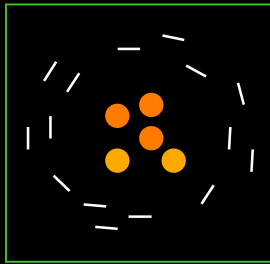
The growth of the Dark Matter Mass Function over cosmic time - Heitmann et al. 2006

- I. Constraints on cosmological parameters can be improved by extending measurements down to the low end of the mass function (*on condition that masses can be measured correctly for groups*).
- II. Understanding the scaling relations of galaxy groups will lead to a better handle on the slope and amplitude of the scaling relations of more massive systems.
- III. Galaxy groups also play in key role in processes of galaxy formation (low velocity dispersions \Rightarrow galaxies are more likely to merge)

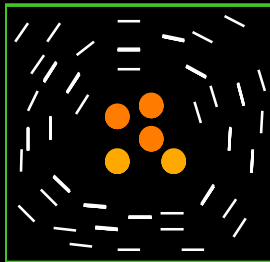
The three main lensing techniques



I. Strong Lensing - Probes the mass within the Einstein Radius - Limited number of systems - Representative sample?

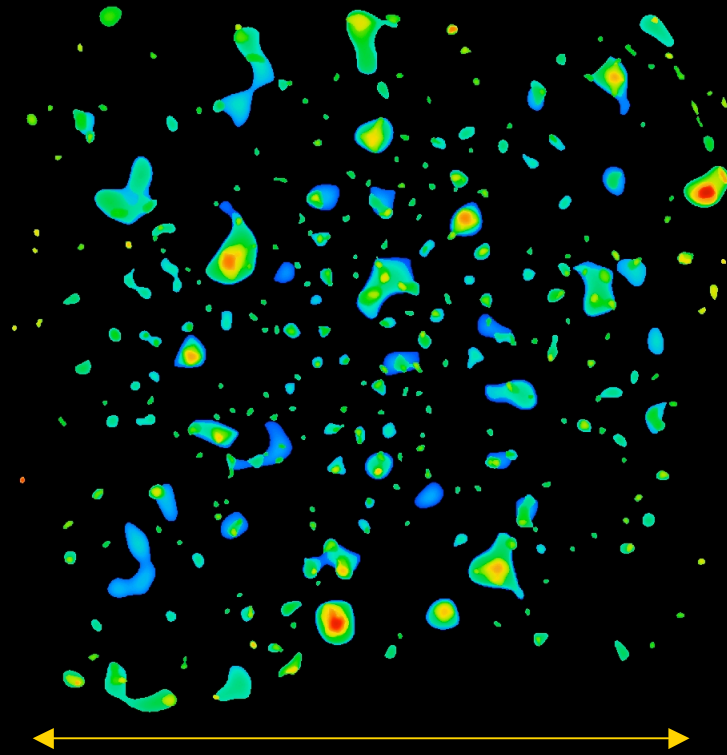


II. Weak lensing on an object by object basis - Only works for the most massive systems - Limited by the shape of the lensing weight function - Projection effects.



III. Stacked weak lensing - Can measure the mass for potentially **ANY** systems - Can reduce the statistical noise - Not affected by projection effects - Need to know center - No longer access to the scatter.

The cosmos group sample



COSMOS survey
CHANDRA + XMM
A. Finoguenov et al. 2007

✓ ~ 180 groups detected through extended XMM emission
Finoguenov et al. 2007

✓ 1.67 deg² of contiguous ACS data - high background number density (60 gals/arcmin²) - no issues with the mass sheet degeneracy
Leauthaud et al. 2007, Rhodes et al. 2007

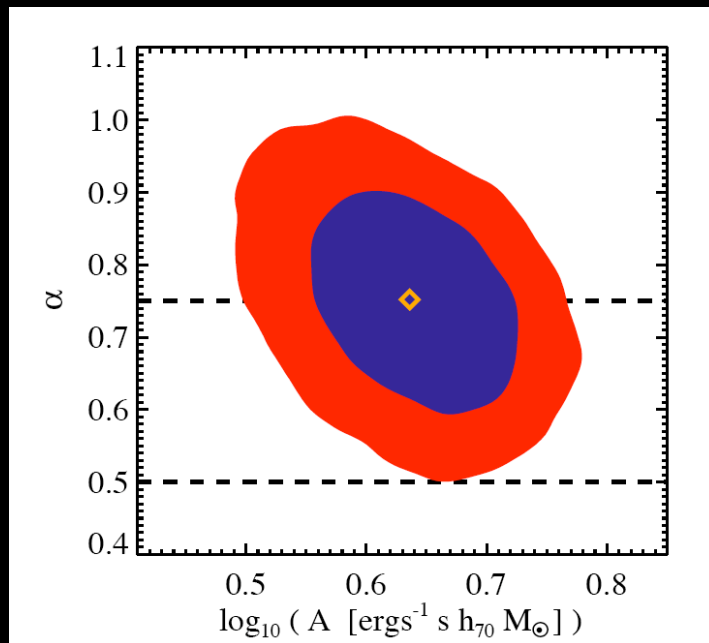
✓ State of the art photometric redshifts (30 bands of data including IR and u band)
Ilbert et al. in prep

✓ ~ 10 000 spectroscopic redshifts for photoz calibration
Lilly et al. 2007

The $M_{200} - L_X$ relation for galaxy groups

Form of the $M_{200} - L_X$ relation:

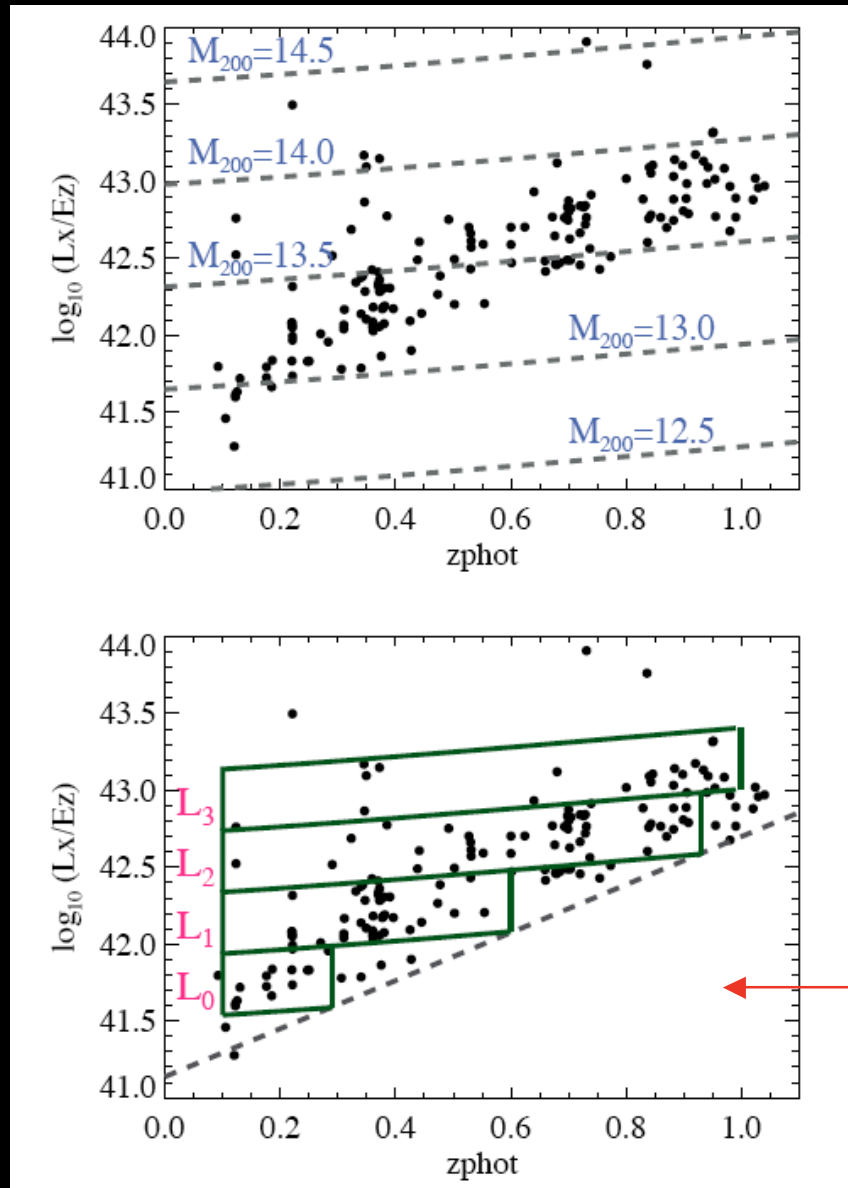
$$\frac{M_{200} \times E(z)}{M_0} = A \times \left[\frac{L_X \times E(z)^{-1}}{L_0} \right]^\alpha$$



Maximum likelihood estimation of the calibration relation. We are finding $\alpha \sim 3/4$ (0.75) similar to local X-ray measurements.

◇ Rykoff et al. found $\alpha \sim 3/4$ (0.85) in the SDSS.

The stacking technique



- Start from the COSMOS X-ray group catalogue (Finoguenov et al. 2008, in prep)

- Compute 1D lensing mass profile by stacking groups of similar X-ray properties (in this study, groups are stacked by L_X)

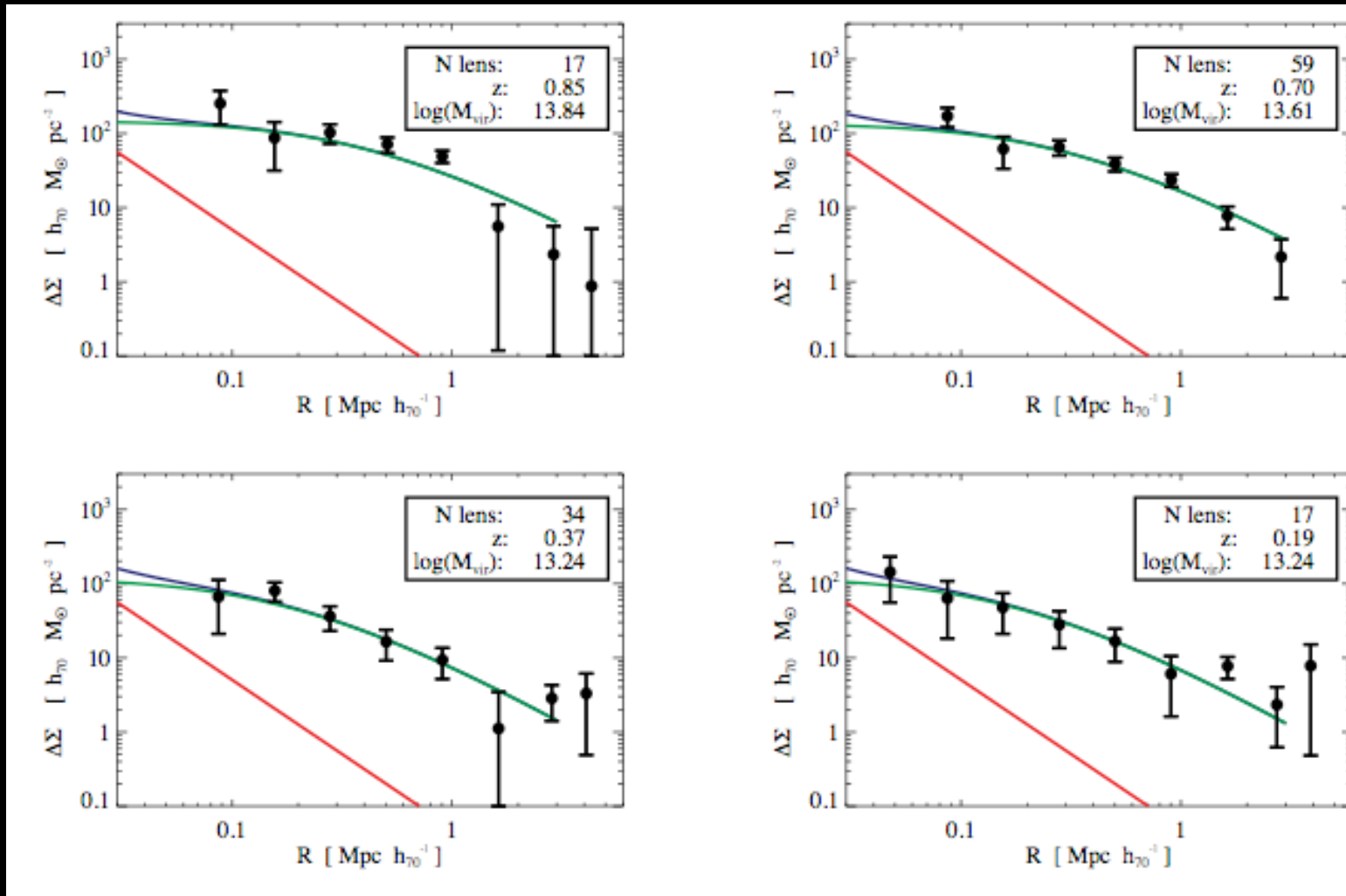
- lines of constant mass are shown by the dashed grey lines

- Calibrate the M_{200} - L_X relation. Check for redshift evolution.

Luminosity bins with self-similar redshift evolution implemented

Leauthaud et al 2008, in prep

Weak lensing profiles per I_x bin

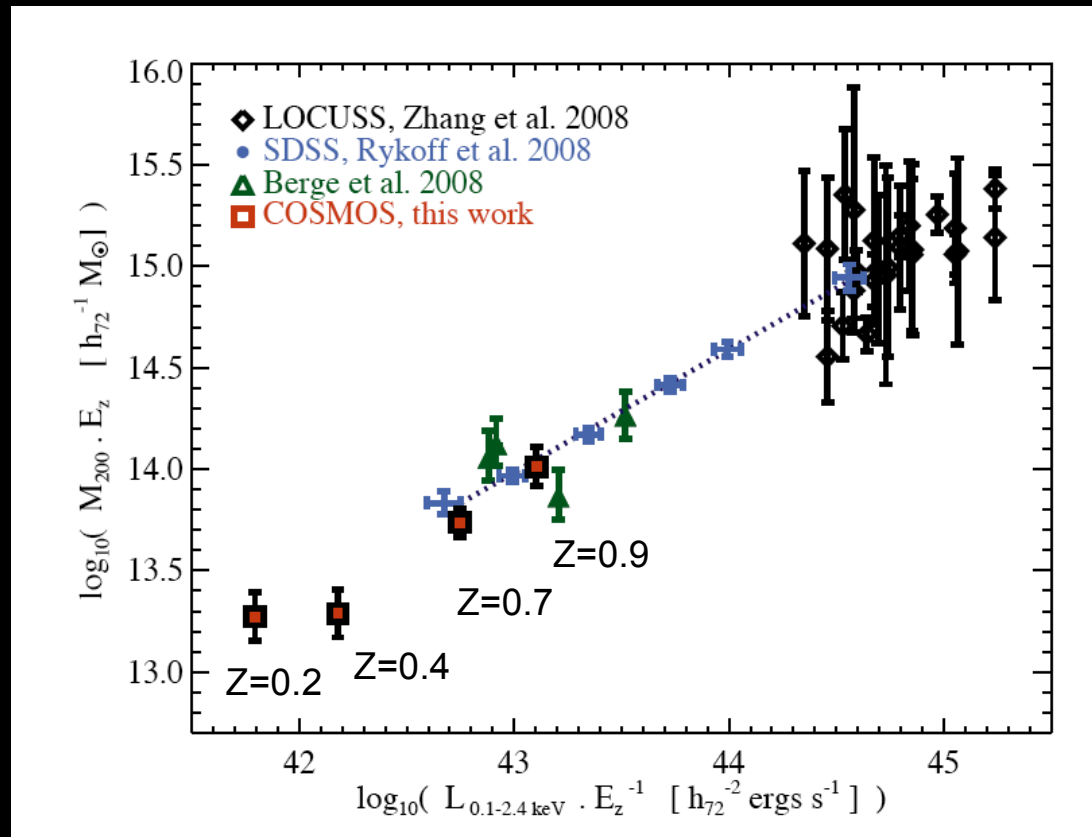


Radial mass profile of X-ray groups in four different Luminosity bins

Leauthaud et al 2008 in prep

Evolution of The $M_{200} - L_x$ relation ?

Preliminary



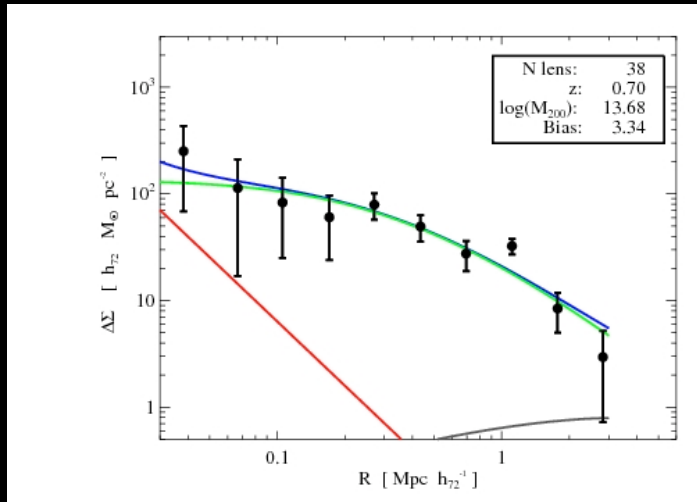
Comparison to local SDSS WL-X-ray calibration (Rykoff et al. 2008).

- 1) Fair agreement, but probing smaller mass systems.
 - 2) No evolution seems necessary beyond the self-similar model
- \Rightarrow *Cautionary Note: still some effects to be accounted for*

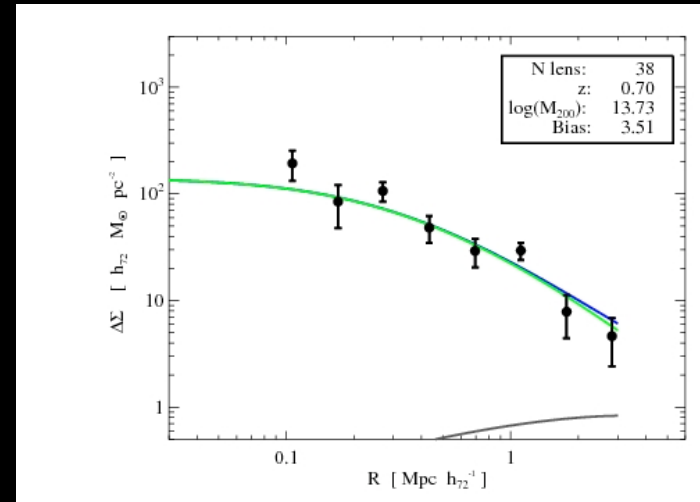
First issue: Where is the center?

In order to stack the lensing signal, you need to know where the dark matter peak is located: X-ray center versus BCG? We are currently working on a comparison of the signal with respect to the two centers :

Preliminary



M=13.68 Msun



M=13.73 Msun

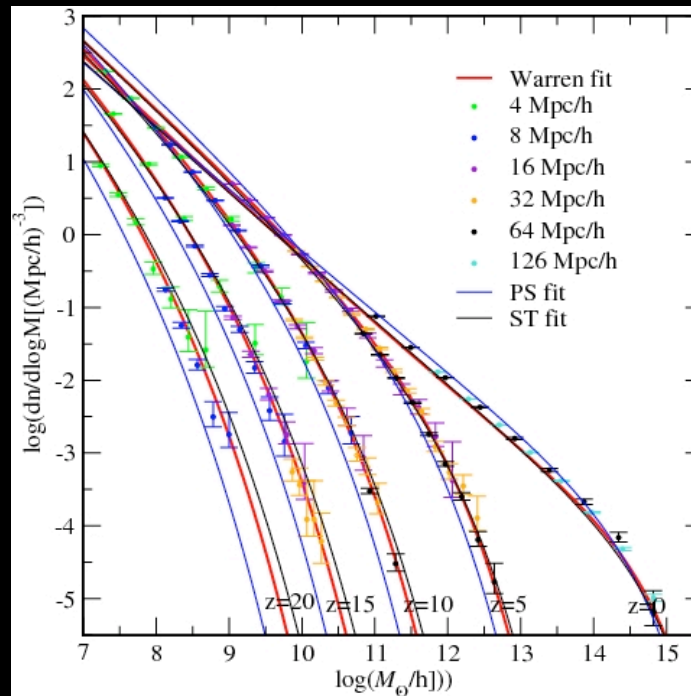
Difference = 0.05 (factor of 1.12) ... not too bad ...

Algorithm to detect BCG's is being developed by Melody Wolk at LBNL/Berkeley (see poster)



second issue: scatter in the Mass observable relation

There is a significant scatter expected in the Lx- M relation: $\sigma_{\ln(L)} \sim 0.86$ (Rykoff et al. 2008)



This scatter will lead to an **underestimation** of the lensing mass. This can be corrected for if the scatter, σ , is known by some other means.

- However, how can one measure this scatter
- Can the scatter be determined via bootstrap techniques ?

conclusions

Stacking techniques look very promising in order to probe the masses of structures below $10^{14} M_{\text{sun}}$ and at higher redshifts. There has already been good progress in this direction, e.g. :

Mandelbaum et al. 2006

Johnston et al. 2007

Rykoff et al. 2008

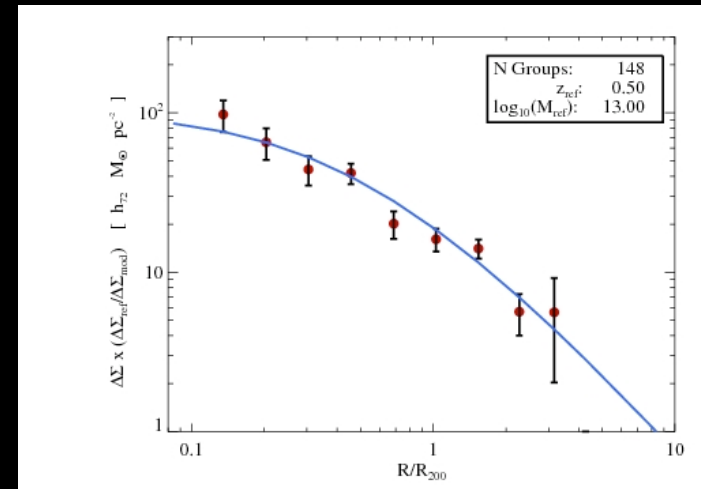
Leauthaud et al. in prep

$z \sim 0.2$

$z = 0.4 \Rightarrow z = 1.0$

Important issues that require further work:

- 1) Where are the centers of the dark matter halos?
- 2) Can the scatter in the $L_x - M_{200}$ relation be measured in this regime?



COSMOS groups:

$R=0.15R_{200} \Rightarrow R=35R_{200}$

The end - time for lunch !

