
X-ray Spectral Deprojection of Galaxy Clusters

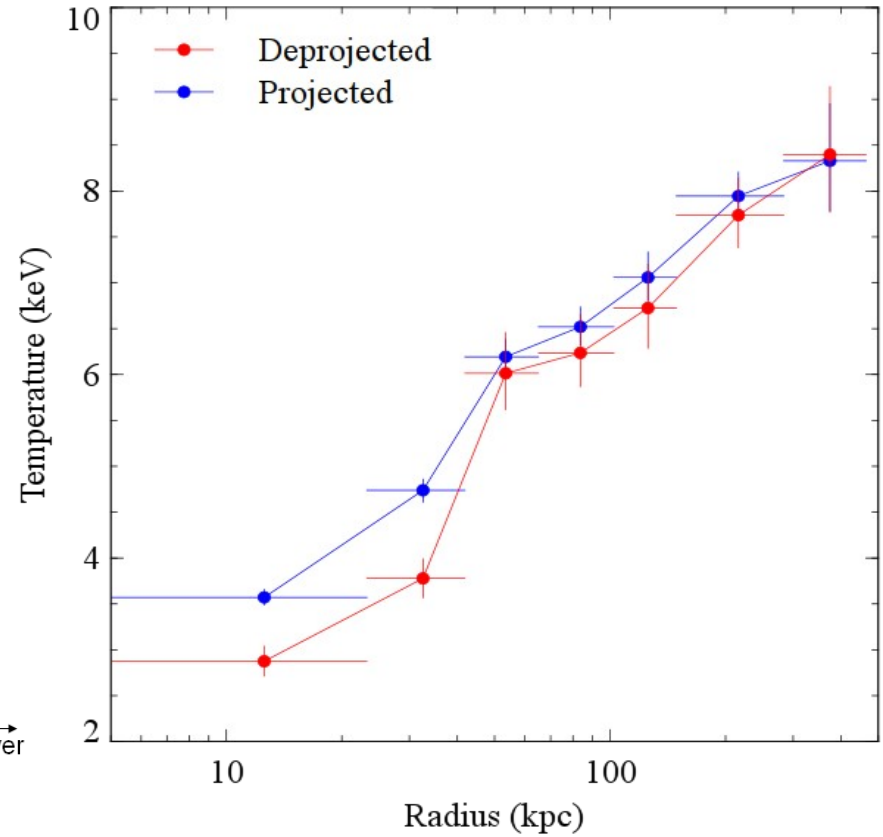
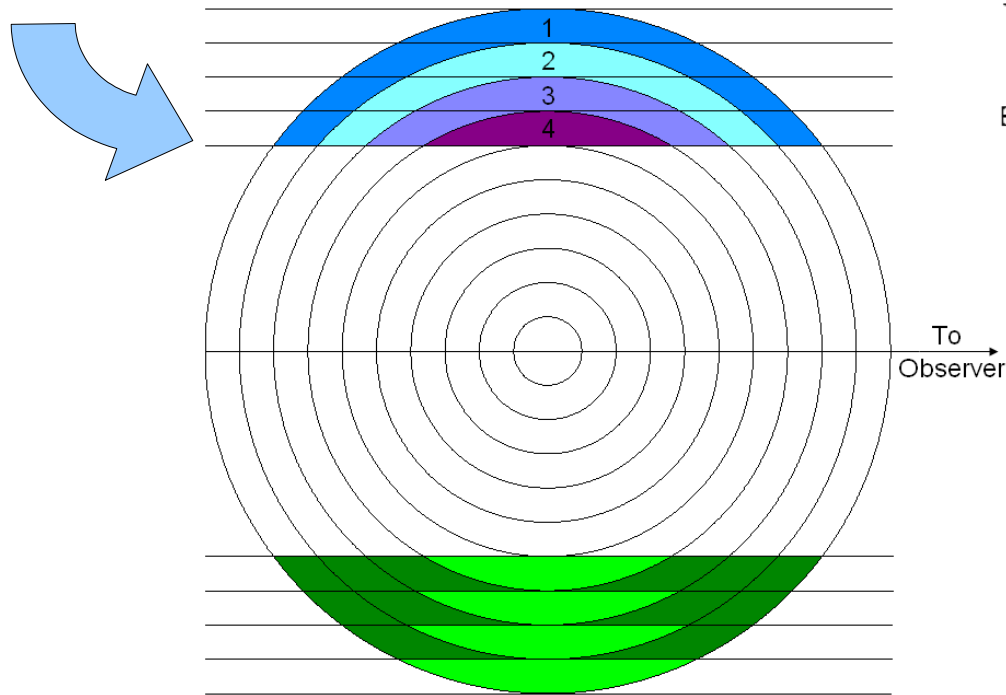
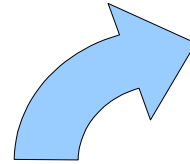
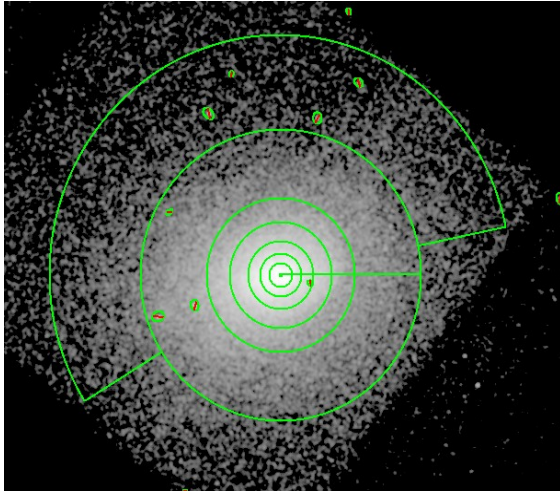
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Outline

- Galaxy cluster deprojection in X-rays
 - **Model-dependent** methods: Projct
 - **Model-independent** methods: DSDepro
- Mass profiles
- PKS 0745-191

Deprojection

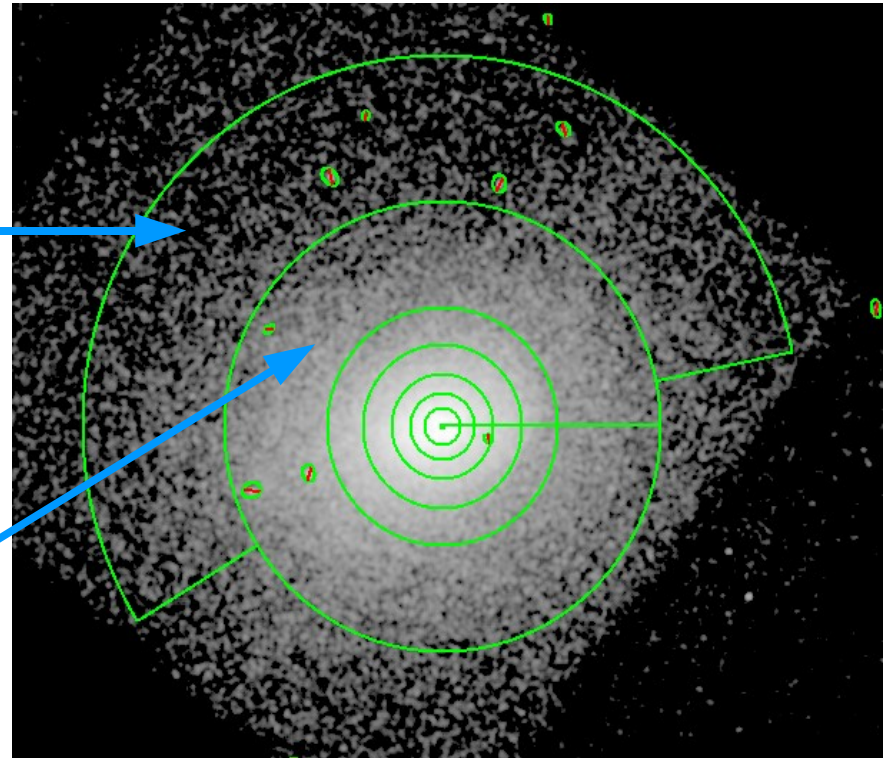


Galaxy Cluster Deprojection

- Assume **spherical symmetry**
- Model-dependent method
 - **Project** in Xspec

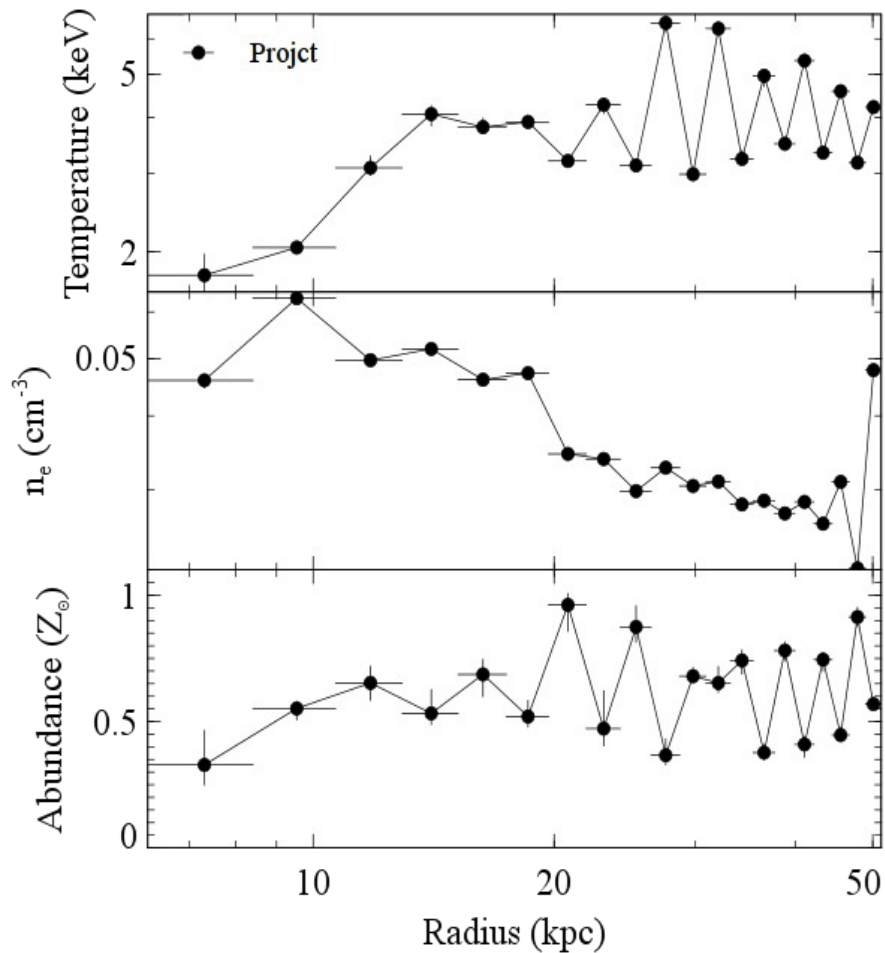
1 model + 0 models of
projected emission

1 model + 1 model of
projected emission

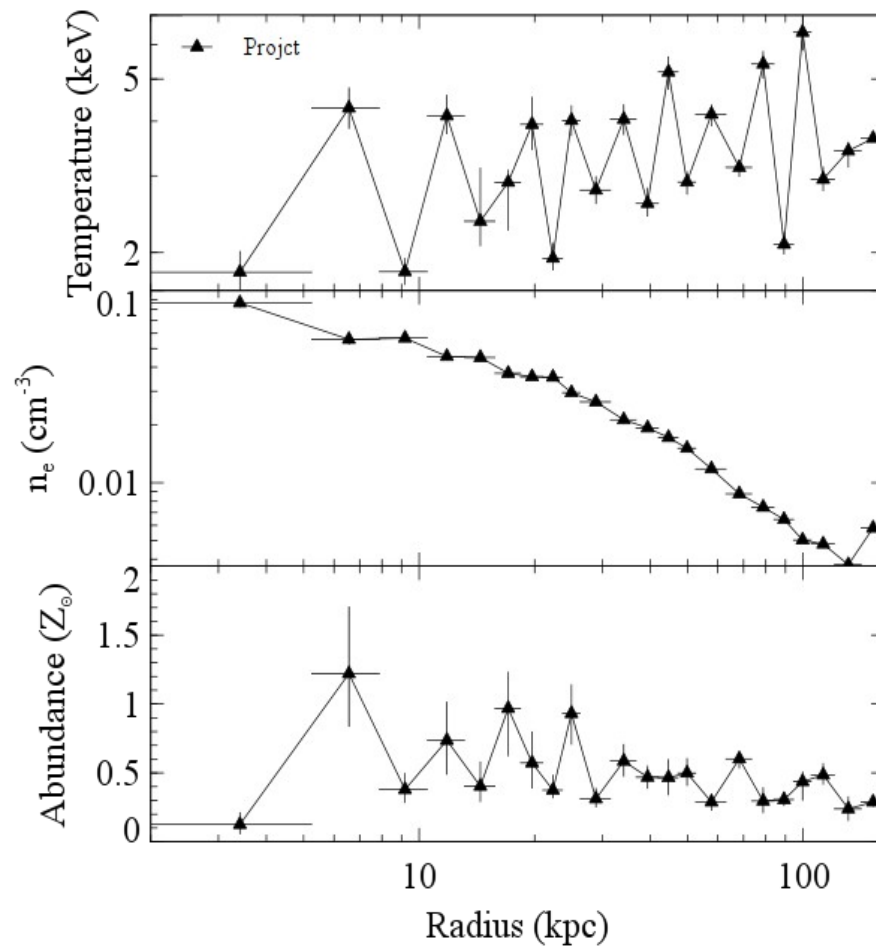


Project

PERSEUS CLUSTER

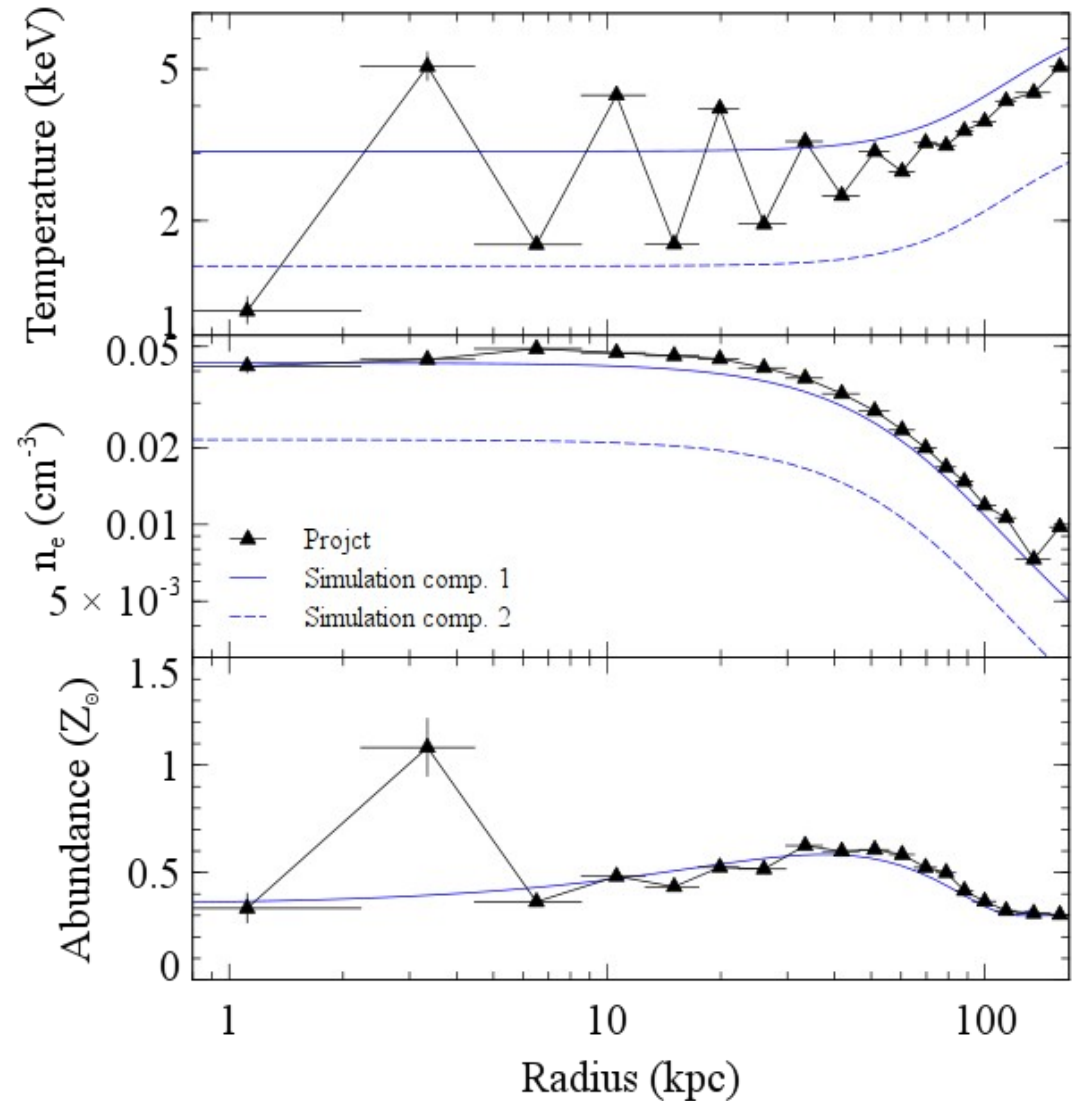


HYDRA A



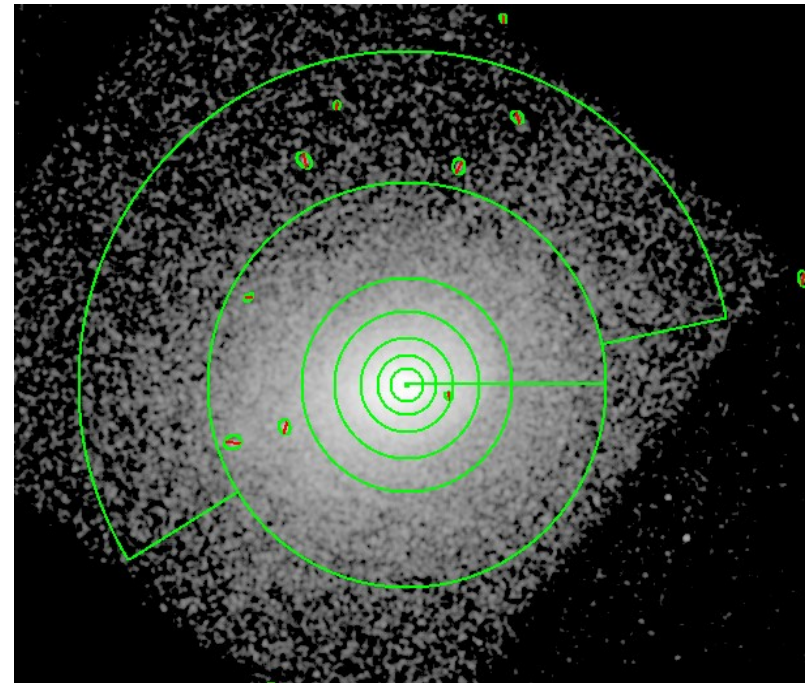
Project

- Simulated clusters
 - Two temperature components fitted with single temperature model
 - Data does not generally support two temperature model fits



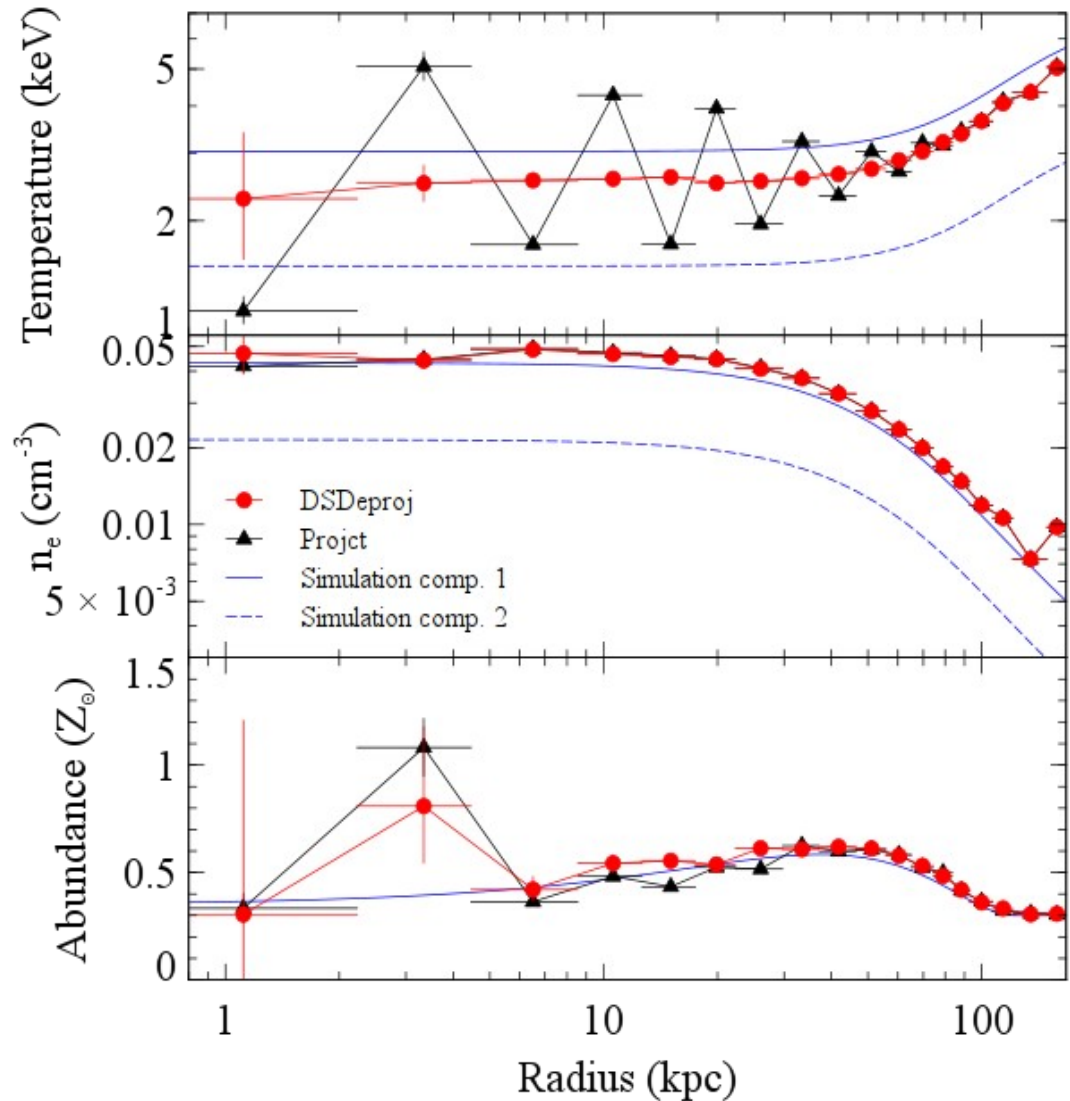
Spectral Deprojection

- **Model-independent** method – DSDeproj (Sanders & Fabian 2007, Russell et al. submitted)
- Uses a **geometrical procedure** to subtract off the projected emission in a series of shells (similar to Nulsen & Bohringer 1995)
- A **Monte Carlo technique** was used to calculate the uncertainties on each deprojected spectrum.



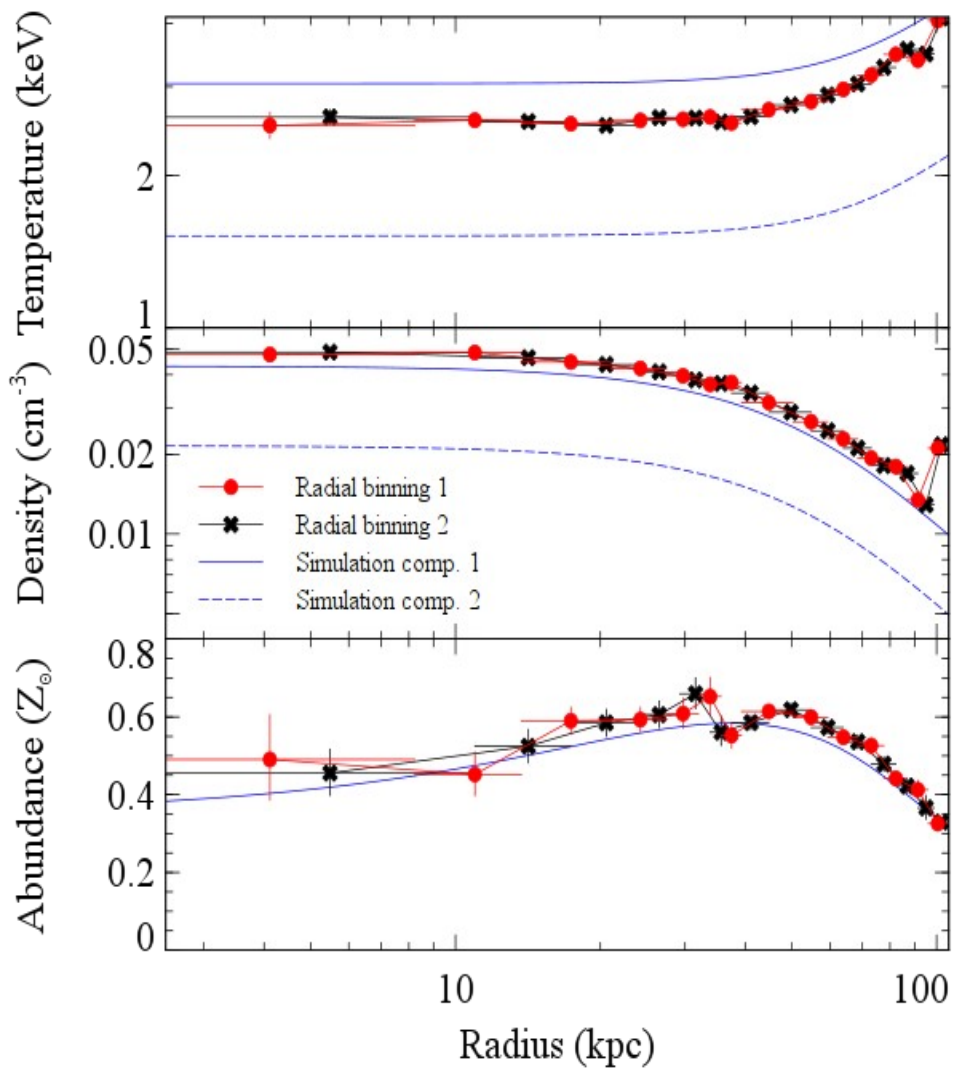
DSDeproject

- DSDeproject produces a **smooth temperature profile** that is average of the two separate components (weighted by emission)

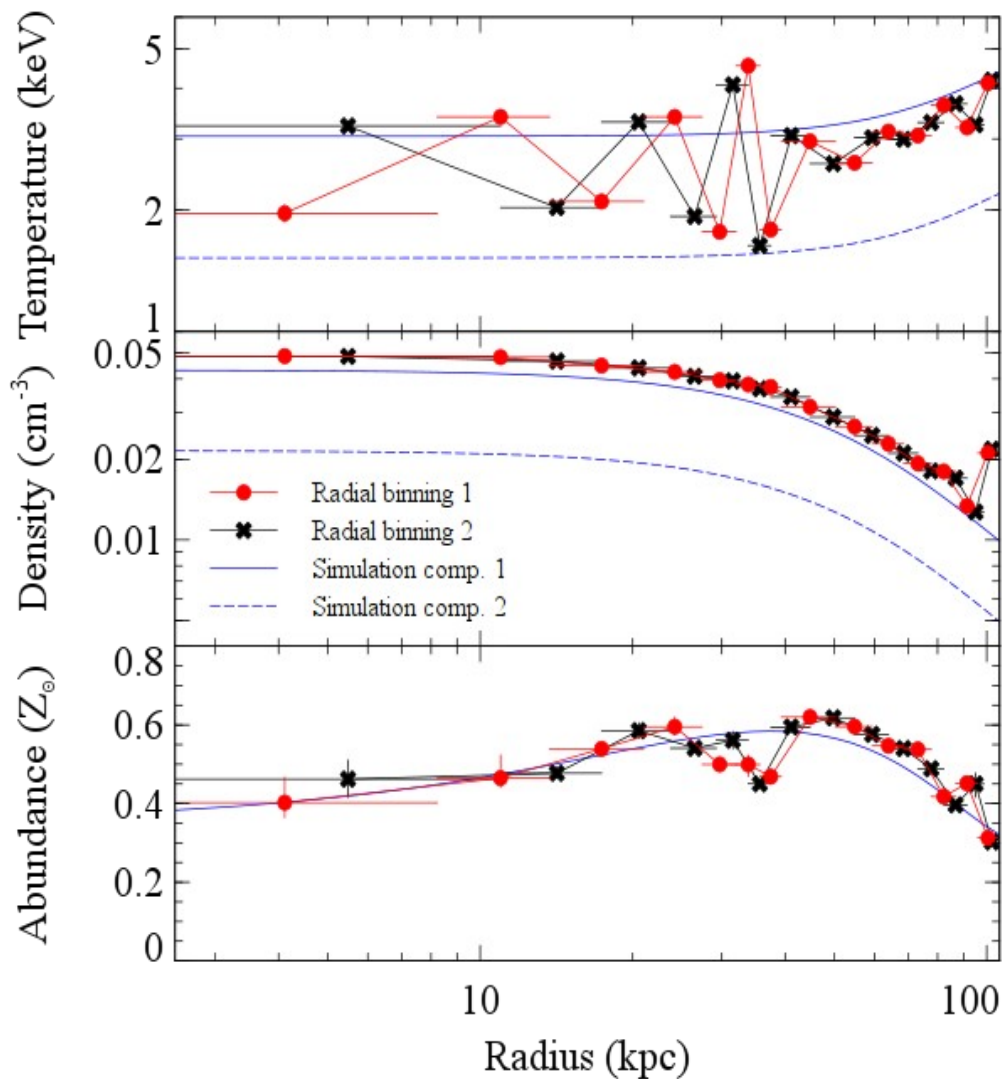


DSDepro

DSDepro

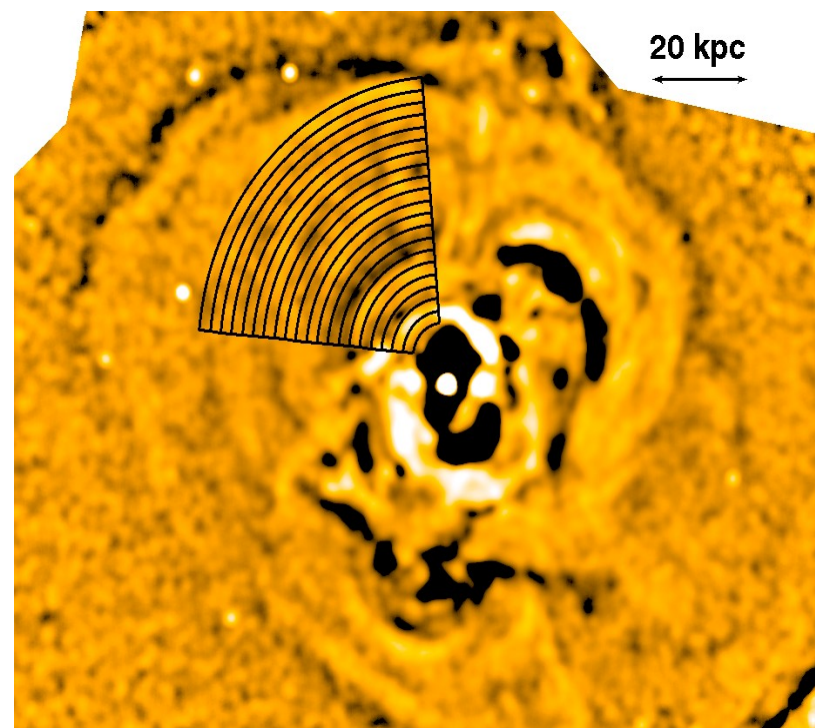
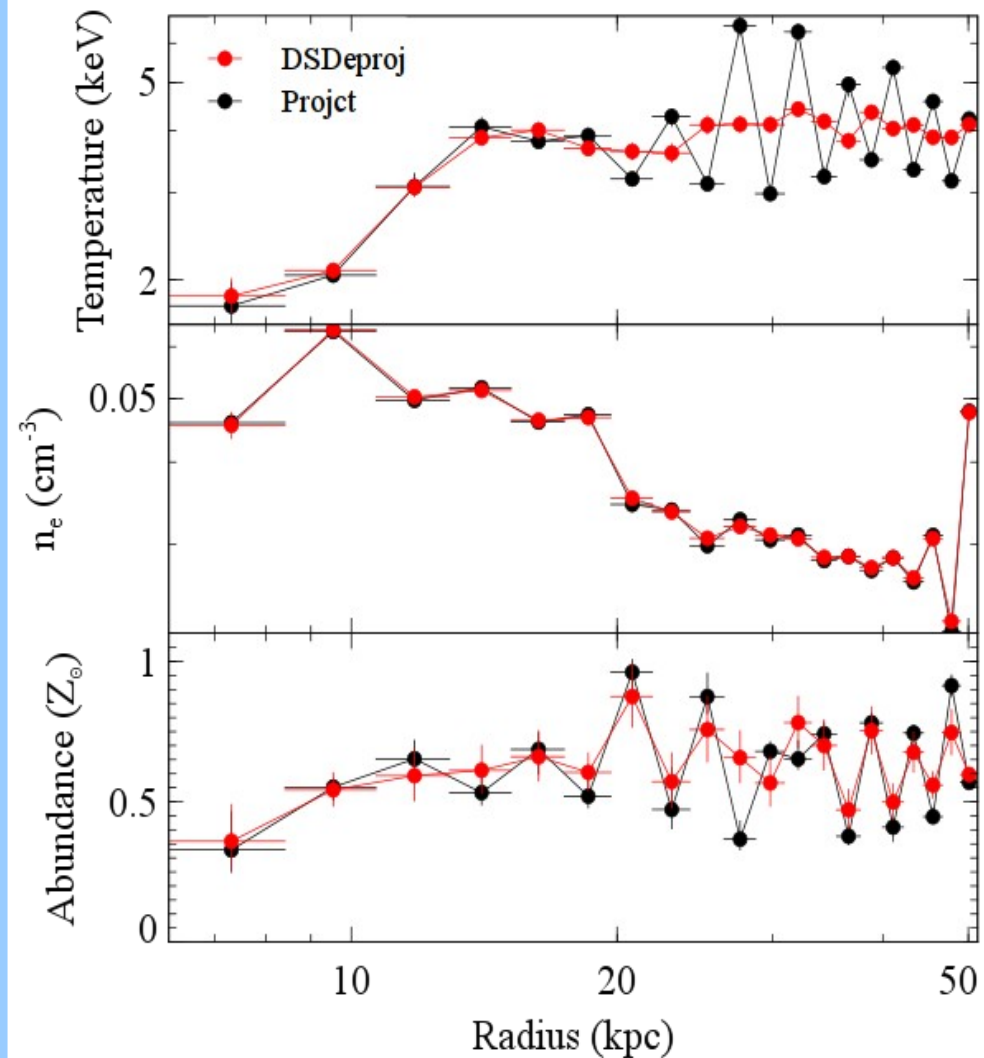


Projct



DSDeproject

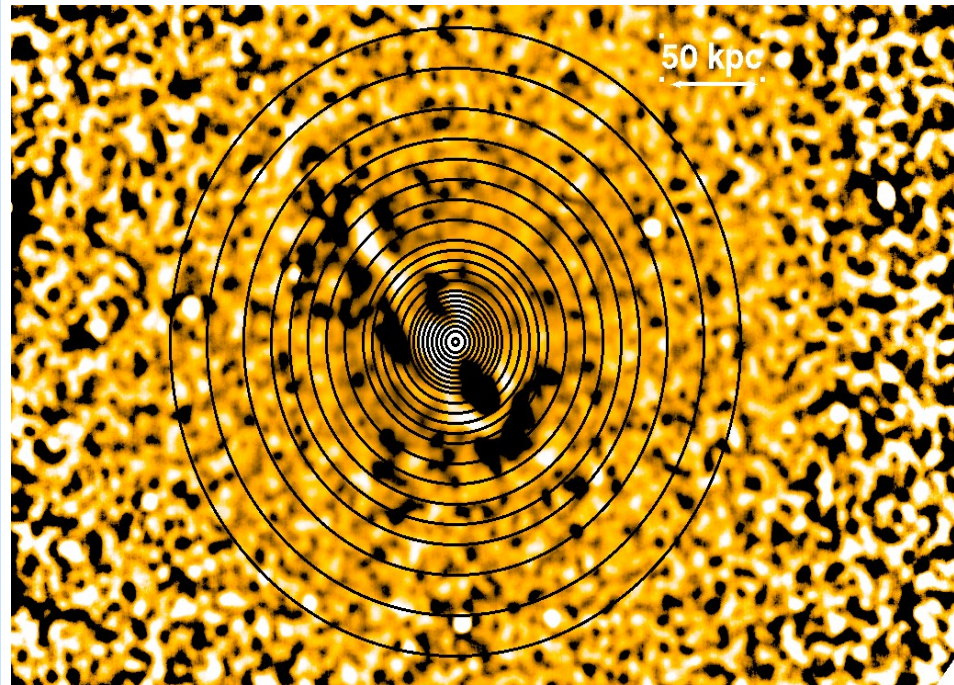
PERSEUS CLUSTER



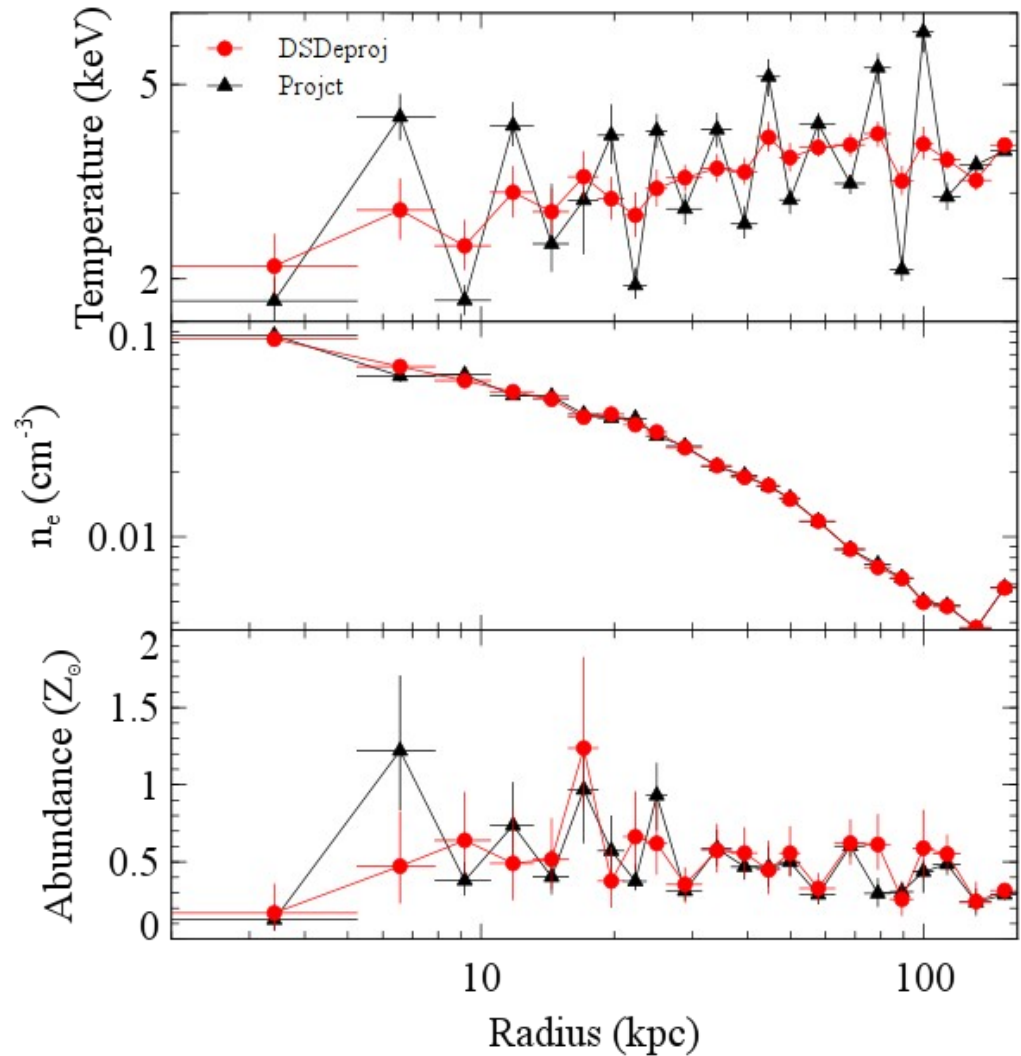
Fabian et al. 2006

DSDeproject

HYDRA A



Nulsen et al. 2002



Mass Profile

- To derive a mass profile, assume:
 - Gas properties are **spherically symmetric**
 - Gravitational potential dominated by dark matter
 - Cluster is in **hydrostatic equilibrium**

$$\frac{dP}{dr} = \frac{k_B}{\mu m_H} \left(\rho_{gas} \frac{dT}{dr} + T \frac{d\rho_{gas}}{dr} \right) = \frac{-GM(<r)\rho_{gas}}{r^2}$$

- Temperature and ρ_{gas} profiles \rightarrow Mass profile?

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- Temperature and ρ_{gas} profiles \rightarrow Mass profile?

Assume the total density distribution can be described by an **NFW profile**

Mass Profile

- Use an **NFW model** and the **observed ρ_{gas}** to predict a temperature in each annulus.

$$\rho(r) = \frac{\rho_0}{(r/r_s)(1+r/r_s)^2}$$

$$c_{200} = r_{200}/r_s$$

Mass Profile

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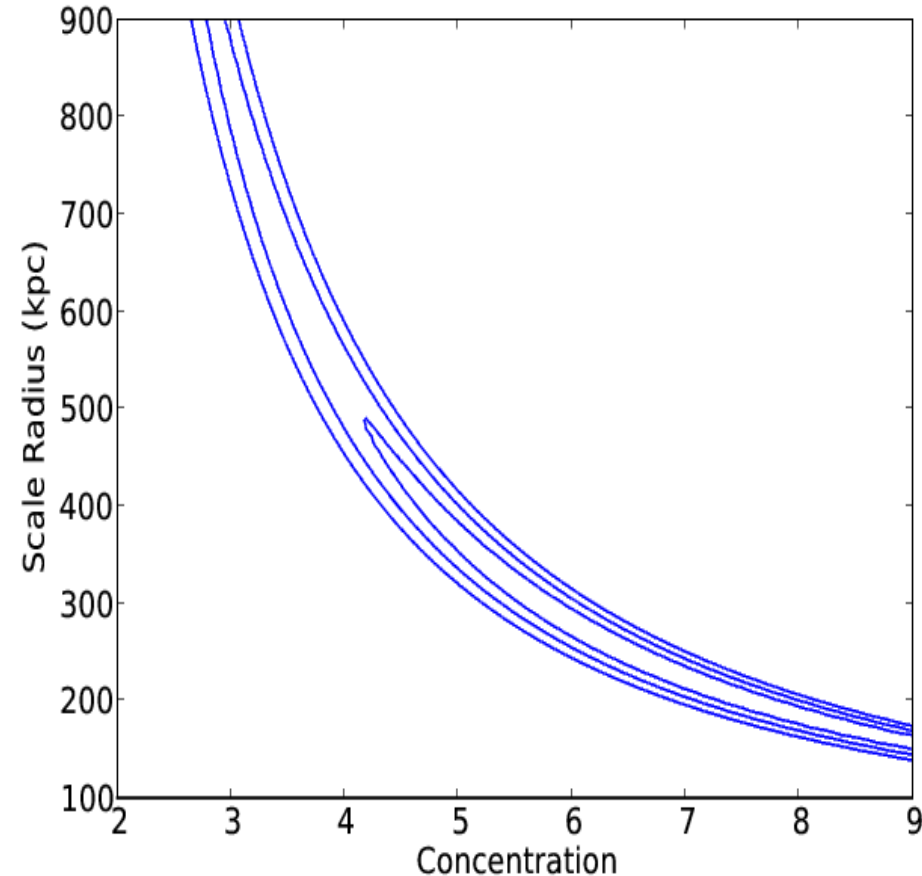
$$\frac{k_B}{\mu m_H} \left(\rho_g \frac{dT}{dr} + T \frac{d\rho_g}{dr} \right) = \frac{-GM\rho_g}{r^2}$$

Schmidt & Allen (2007):

$$r_s = 360^{+130}_{-110} \text{ kpc} \quad c = 5.85^{+1.55}_{-1.07}$$

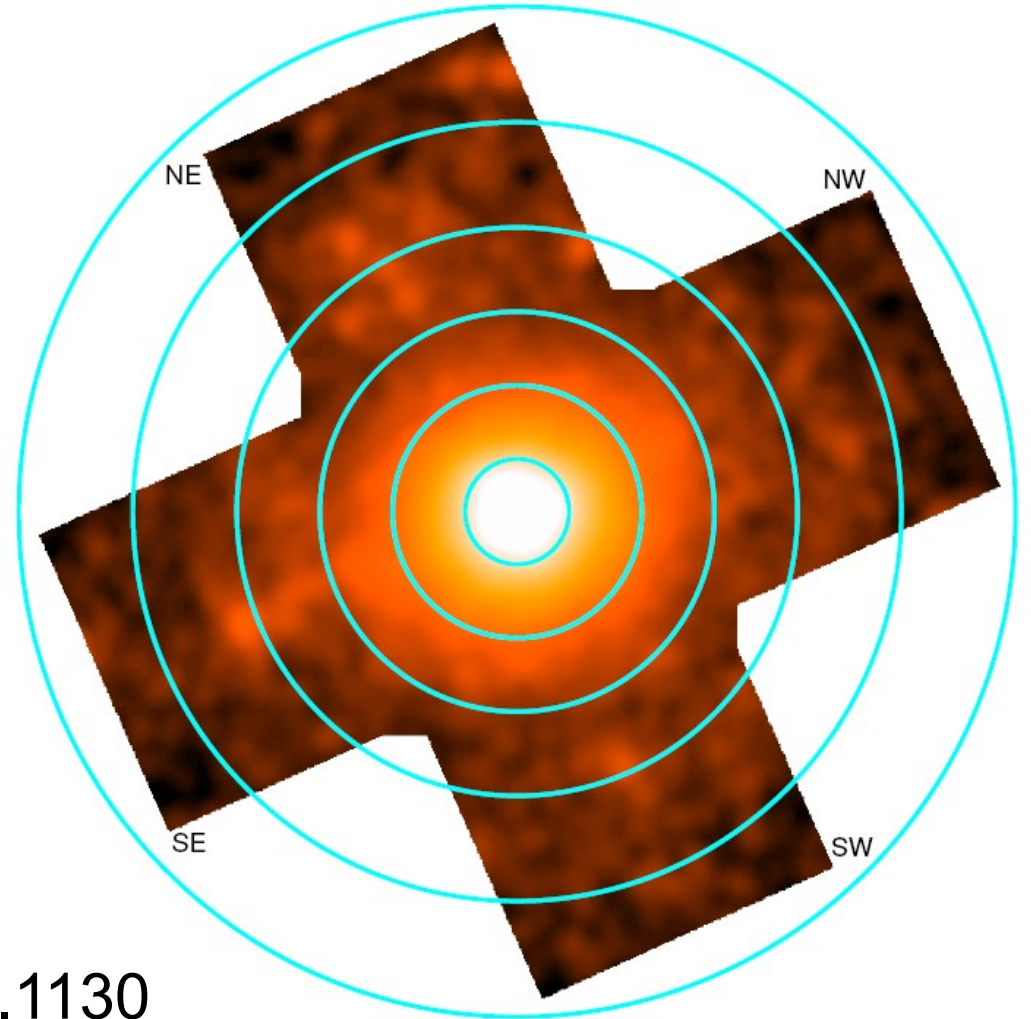
Pointecouteau et al. (2005):

$$r_{200} = 1999 \pm 77 \text{ kpc} \quad c = 5.12 \pm 0.40$$

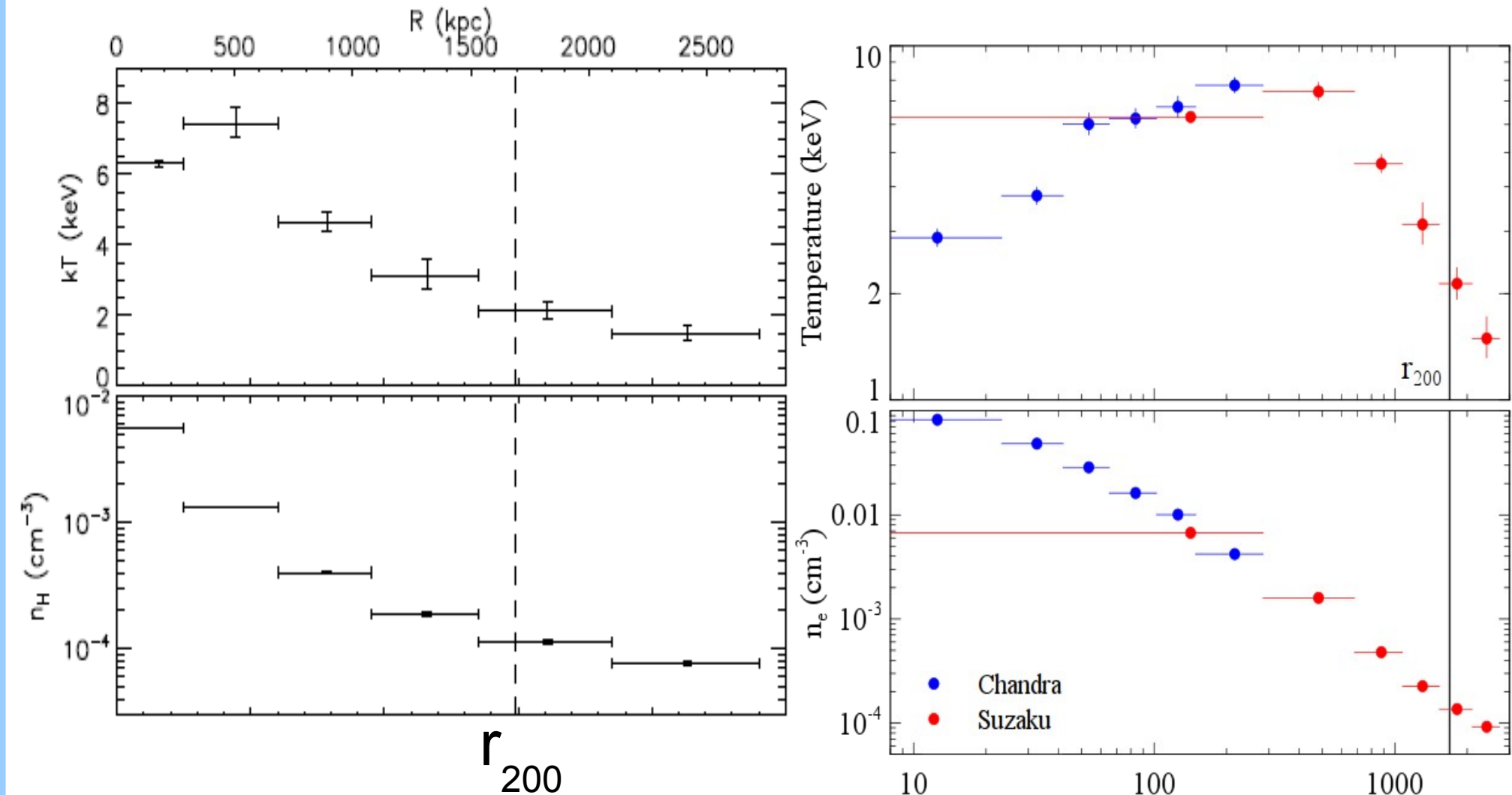


PKS 0745-191

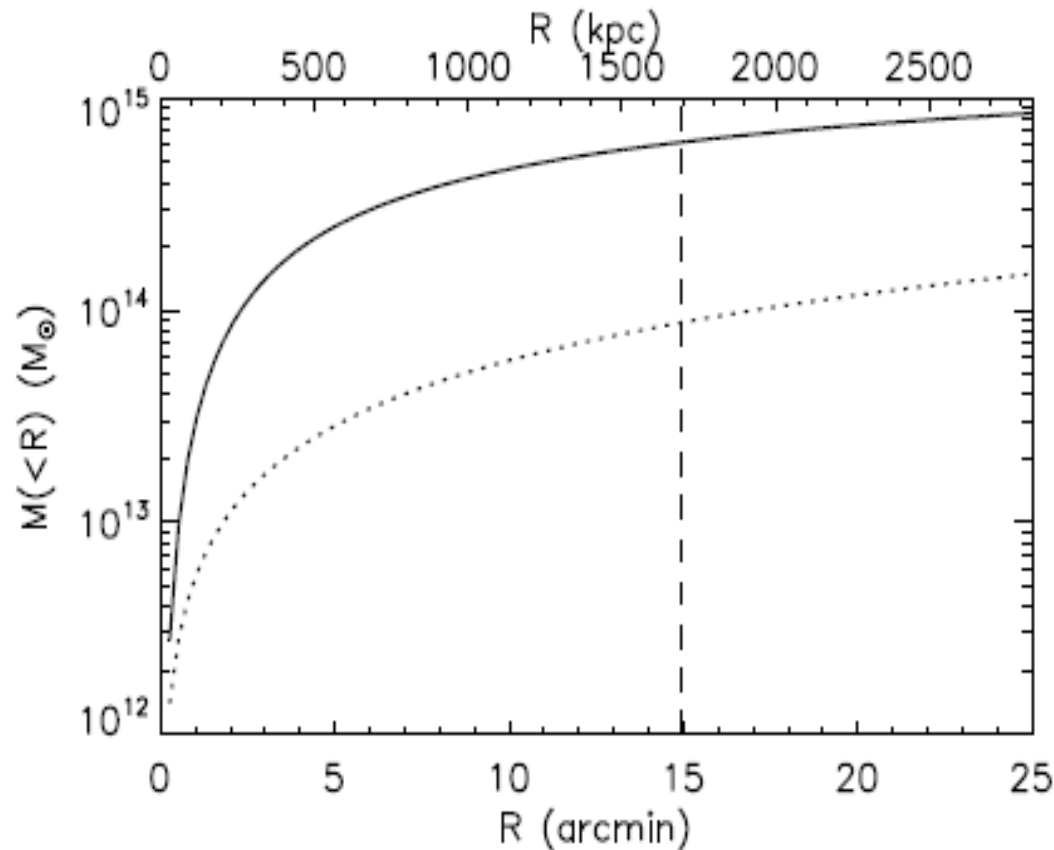
- 5 separate fields of 32ks each
- Observation reaches nearly 24' (2.7 Mpc)



Mass Profile: Chandra + Suzaku



Mass Profile: Chandra + Suzaku



$$r_s = 280_{-40}^{+50} \text{ kpc}$$

$$c_{200} = 6.1_{-0.8}^{+0.9}$$

$$r_{200} = c_{200} r_s = 1.69_{-0.05}^{+0.06} \text{ Mpc}$$

$$M_{200} = 6.1_{-0.6}^{+0.7} \times 10^{14} M_{\odot}$$

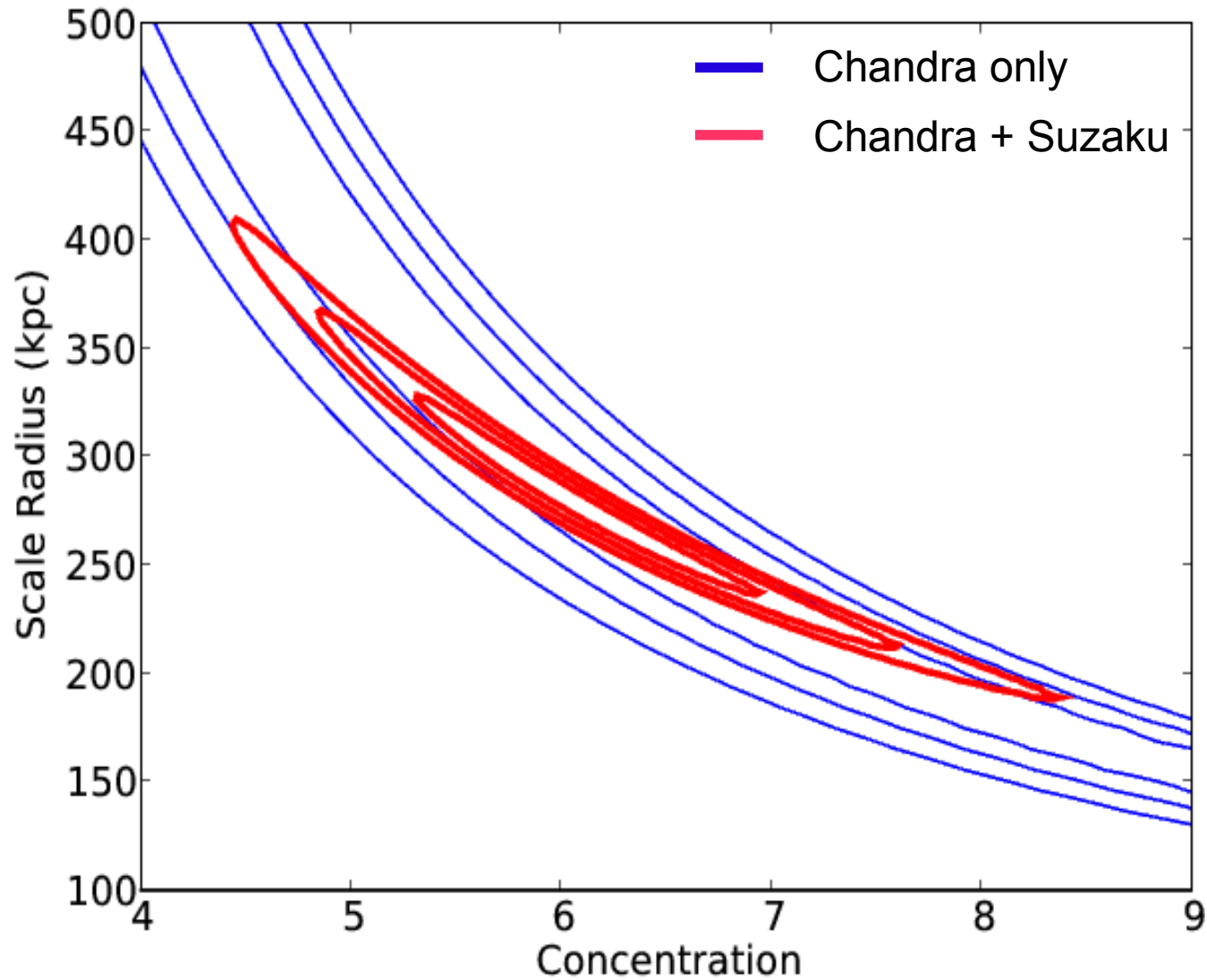
Schmidt & Allen (2007):

$$M_{200} = 11.8_{-3.55}^{+4.70} \times 10^{14} M_{\odot}$$

Pointecouteau et al. (2005):

$$M_{200} = 10.0_{-1.2}^{+1.2} \times 10^{14} M_{\odot}$$

Mass Profile: Chandra + Suzaku

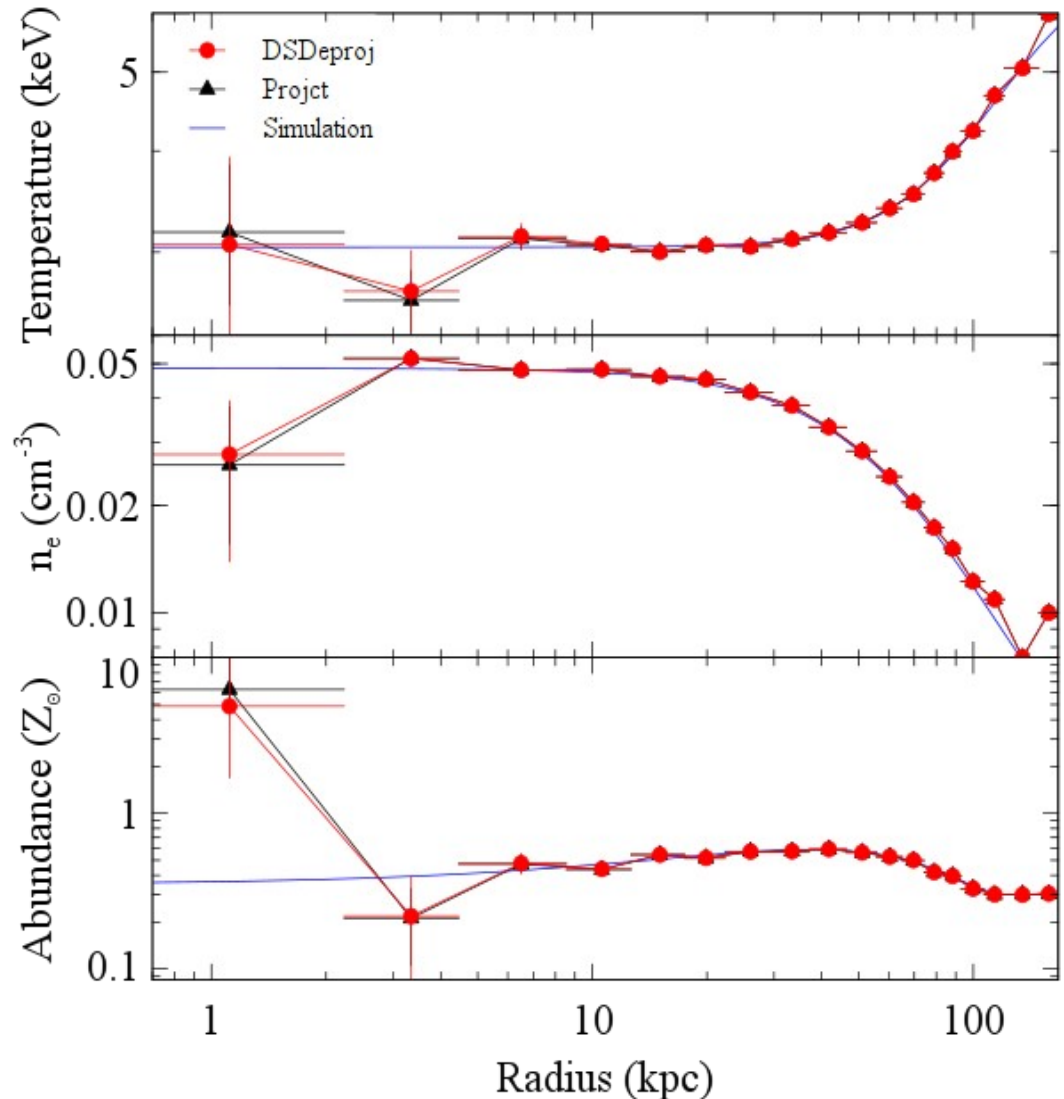


Summary

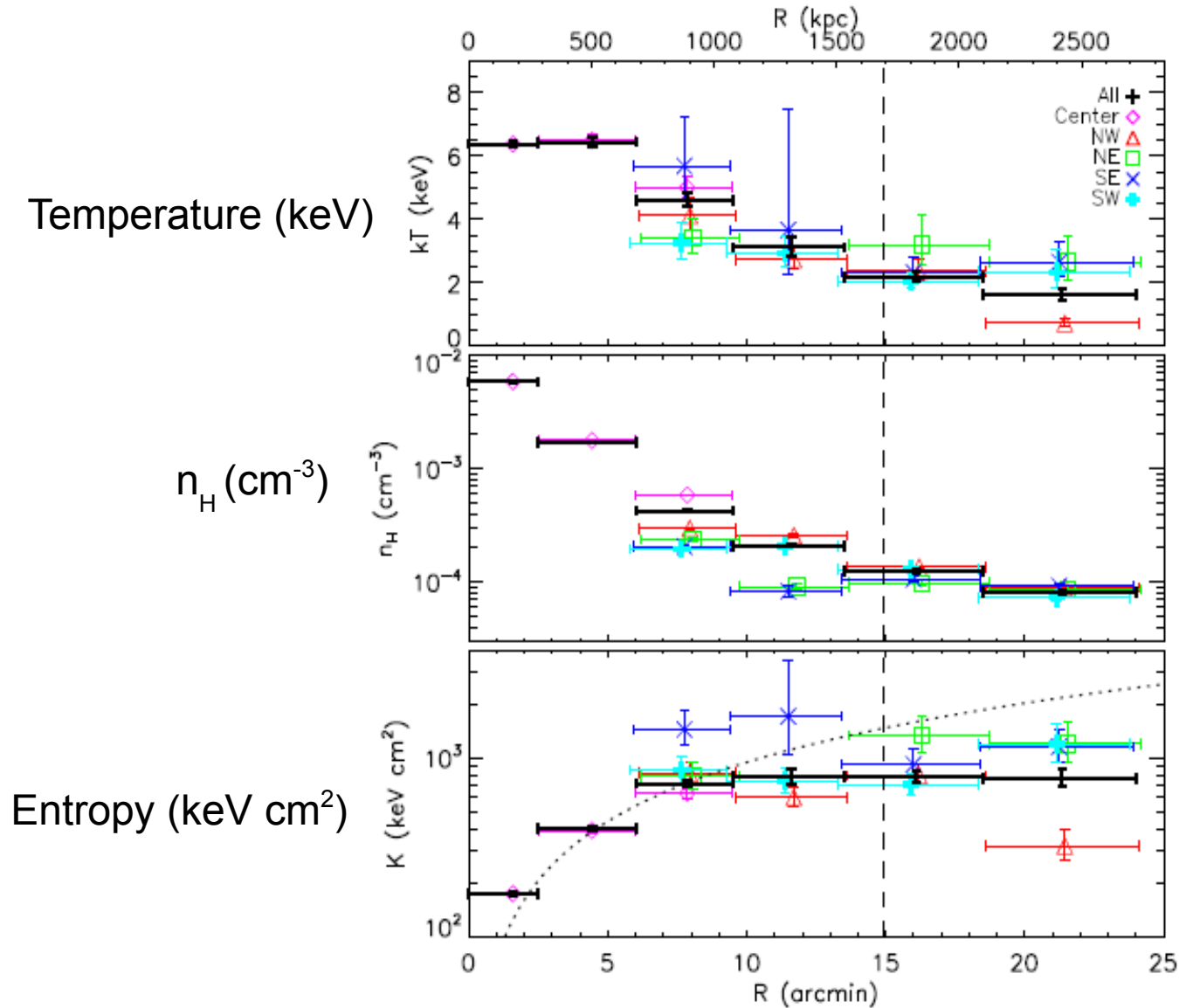
- Multi-temperature gas causes unstable, oscillating temperature profiles for model-dependent deprojection routines.
- Model-independent methods can alleviate this problem.
- Assuming hydrostatic equilibrium and NFW profile, can calculate mass profiles for galaxy clusters.
- Cluster observations out to greater radii produce better constrained mass profiles.

Non-spherical Cluster

- Cluster stretched by a third along the line of sight.
- Central radial bin is poorly constrained because of residuals from incorrect subtraction of outer layers.



Non-spherical Cluster

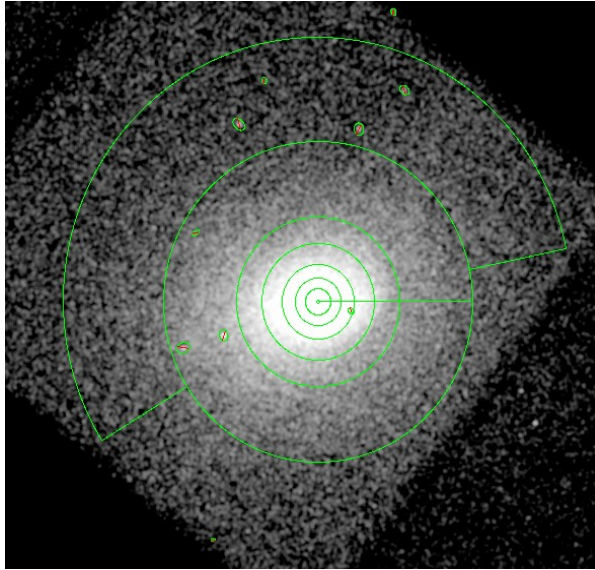


Error Budget

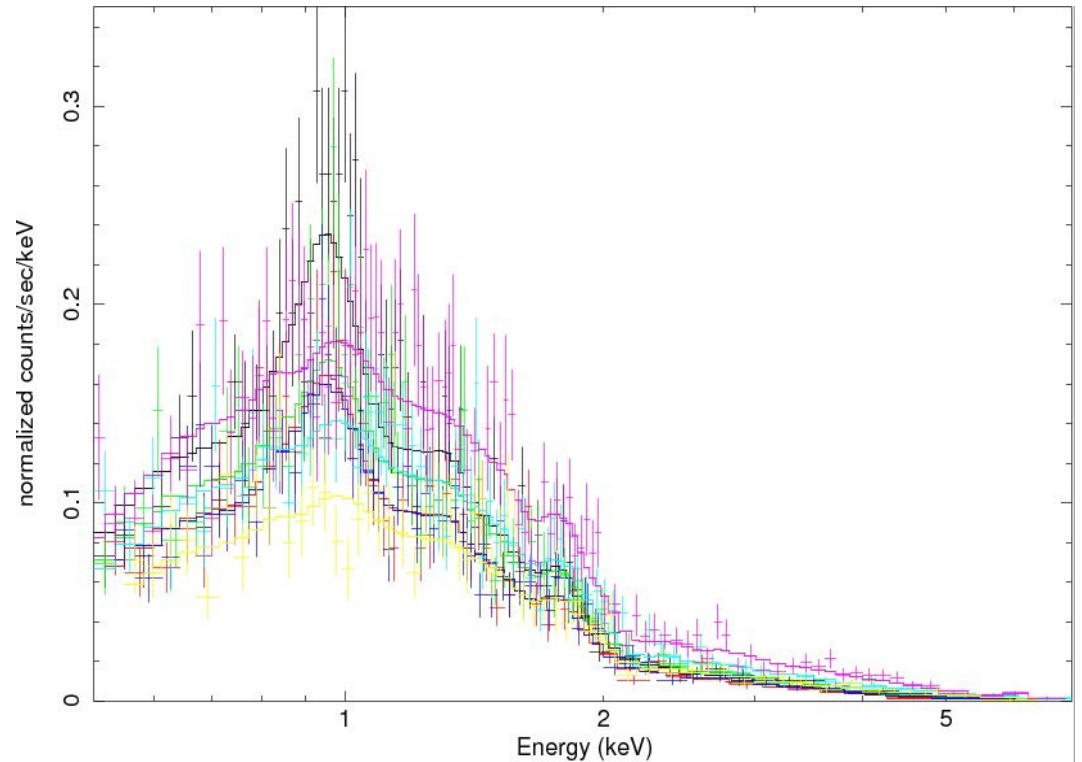
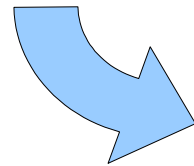
Radius ($^{\circ}$)	kT (keV)	Stat.	No PSF	NXB $\pm 3\%$	CXB $\pm 10\%$	Gal. $\pm 50\%$	N_{H} $\pm 10\%$	Z 0.2 – 0.4 Z_{\odot}
0–2.5	6.30	$+0.10$ -0.10	+0.08	< 0.005	< 0.005	< 0.005	0.59	< 0.005
2.5–6.0	7.43	$+0.45$ -0.40	-0.99	0.01	< 0.005	0.01	0.74	0.02
6.0–9.5	4.65	$+0.29$ -0.26	-0.05	0.03	0.03	0.02	0.40	0.03
9.5–13.5	3.13	$+0.47$ -0.38	-0.01	0.09	0.14	0.06	0.26	0.01
13.5–18.5	2.13	$+0.23$ -0.21	+0.06	0.08	0.19	0.06	0.13	0.09
> 18.5	1.49	$+0.22$ -0.18	+0.14	0.10	0.18	0.06	0.10	0.08

Table 3. Estimated uncertainties in the radial temperature profile due to removing PSF-corrections or changing normalizations of background components and spectral model parameters within the ranges given. Each parameter is varied independently and we present only the maximum of the upward and downward temperature shifts (in keV) for clarity. Best-fitting PSF-corrected temperatures and their statistical uncertainties are included for comparison.

Projected Quantities

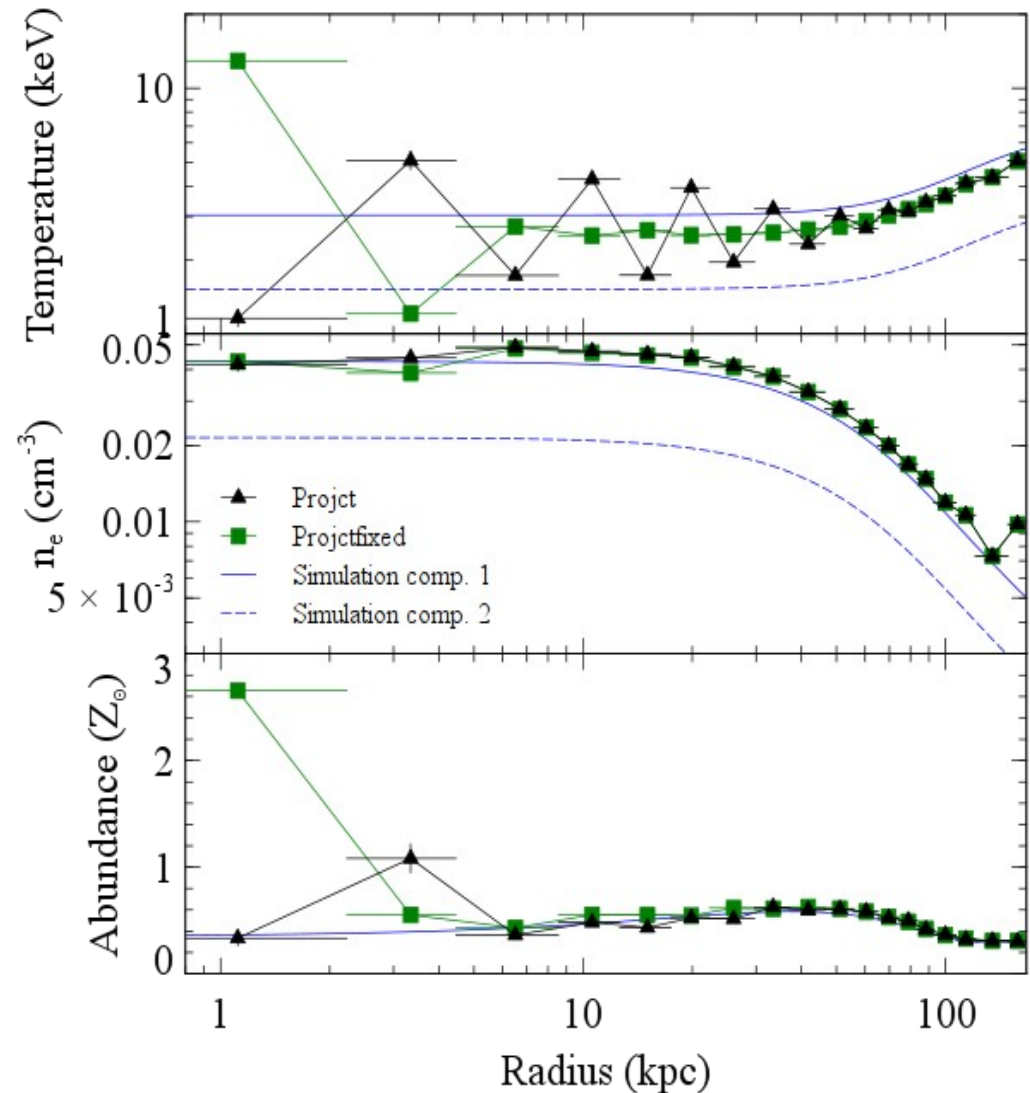


- Determine **temperature**, **density** and **metallicity** in a series of concentric annuli



Project

- Sequentially fix parameters from the outside in.
 - Prevents the poorly modelled spectra near the centre affecting the results in the outer annuli
 - Underestimates uncertainties



Mass Profile

- Use an **NFW model** and the **observed ρ_{gas}** to predict a temperature in each annulus.

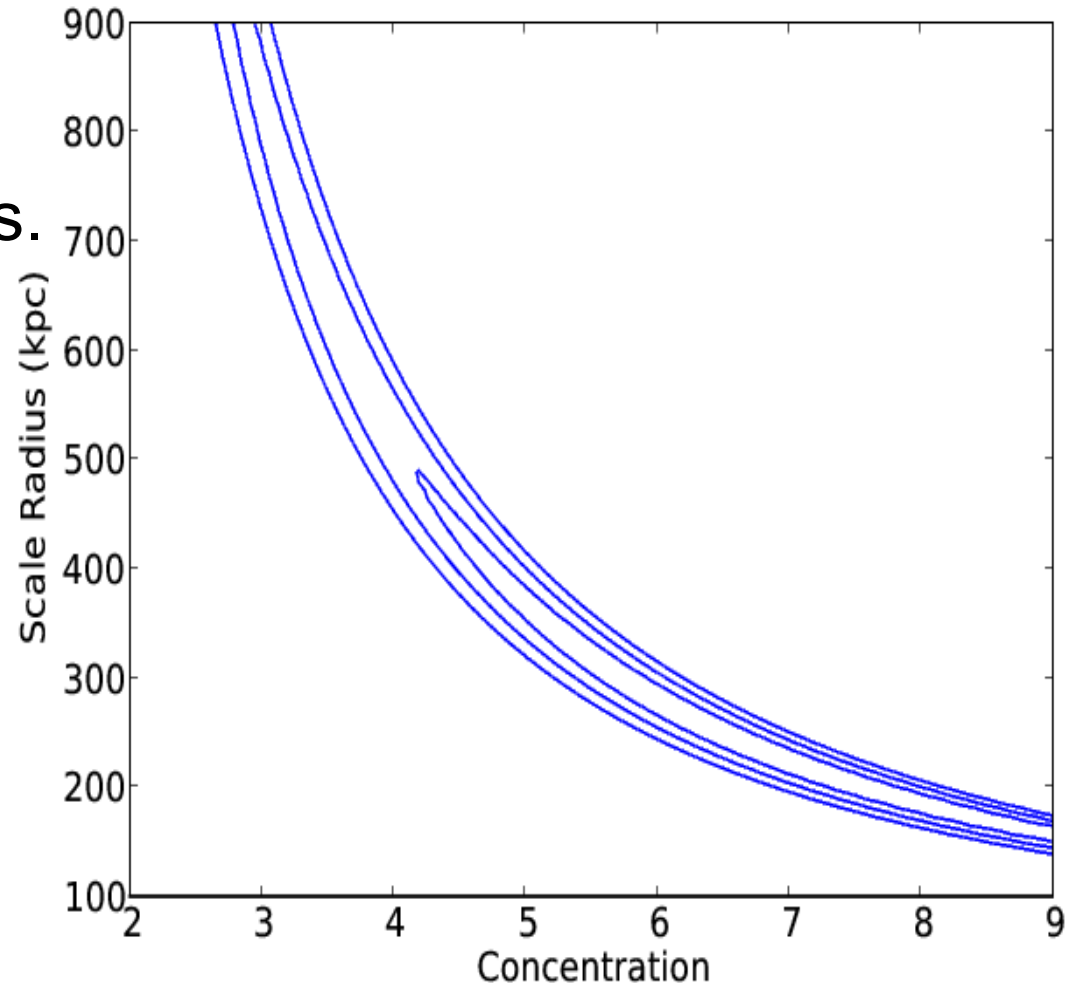
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Need profiles **out to larger radii**